

Theoretical Perspective on Electromagnetic Radiation at RHIC



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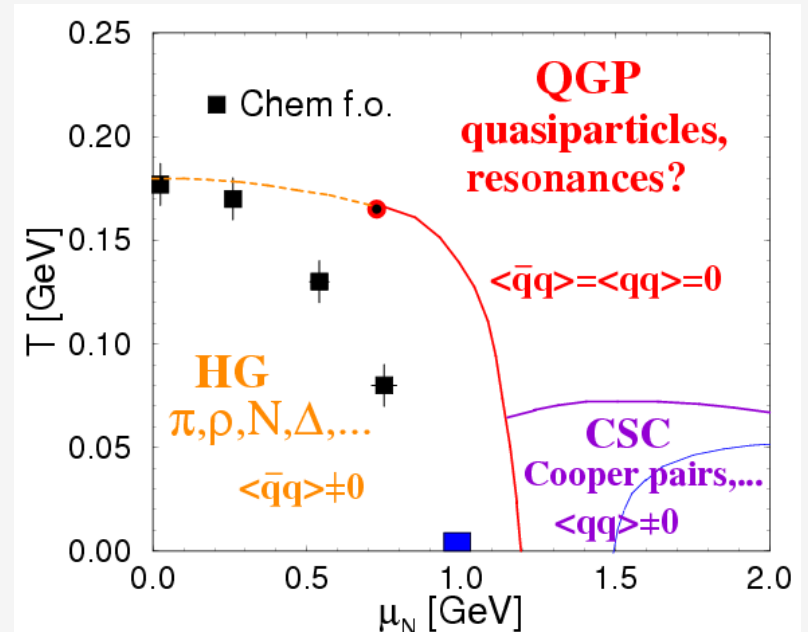
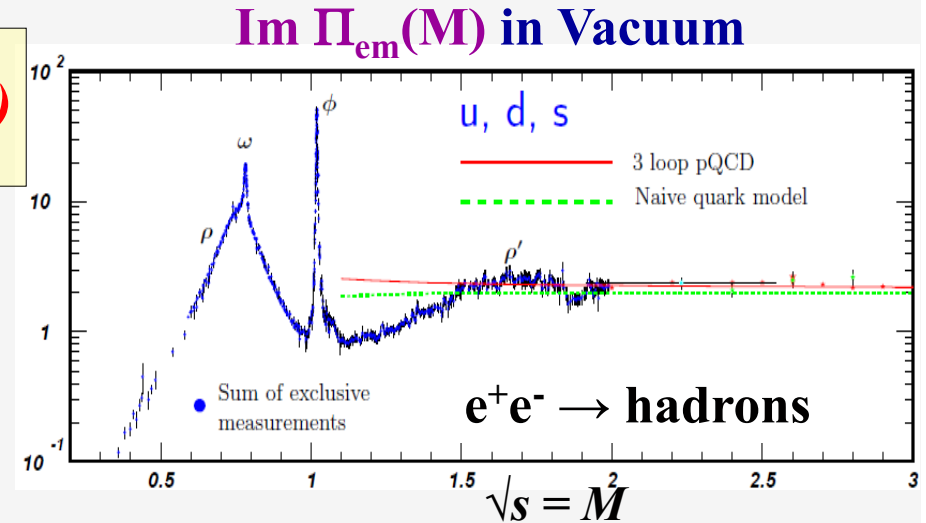


2012 RHIC & AGS Annual Users' Meeting
BNL (Upton, NY), 12.06.12

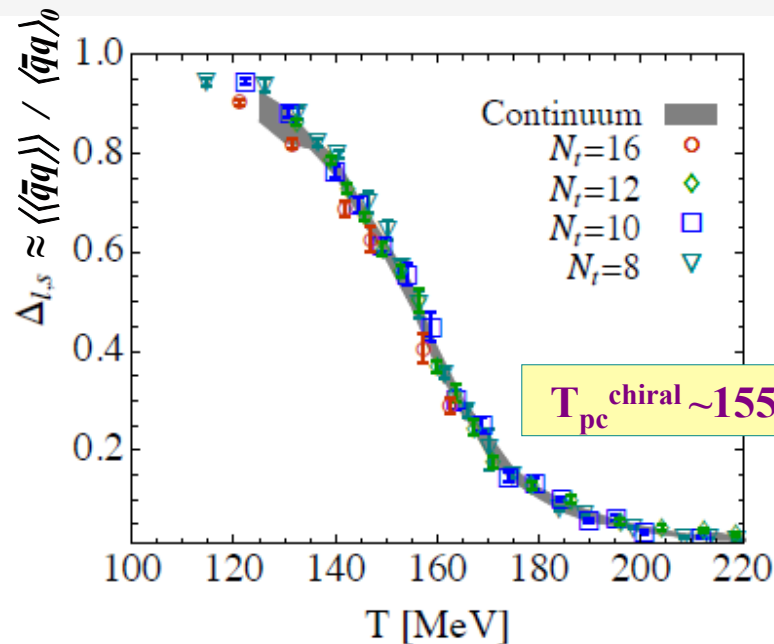
1.) Intro: EM Spectral Function + Fate of Resonances

$$\frac{dN_{ee}}{d^4x d^4q} = \frac{-\alpha_{\text{em}}^2}{\pi^3 M^2} f^B(q_0, T) \text{Im } \Pi_{\text{em}}(M, q; \mu_B, T)$$

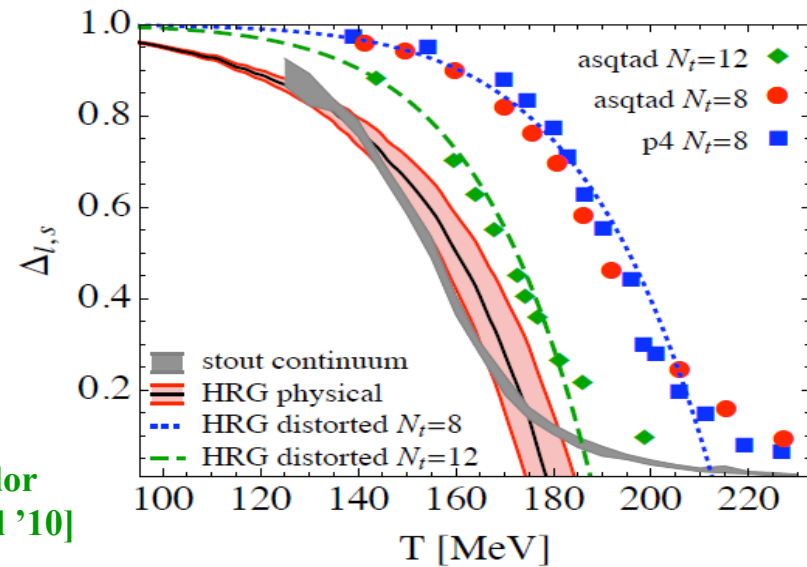
- **Electromagn. spectral function**
 - $\sqrt{s} < 2 \text{ GeV}$: non-perturbative
 - $\sqrt{s} > 2 \text{ GeV}$: perturbative (“dual”)
- **Vector resonances “prototypes”**
 - representative for bulk hadrons: neither Goldstone nor heavy flavor
- **Modifications of resonances**
 - \leftrightarrow phase structure:
 - hadron gas \rightarrow Quark-Gluon Plasma
 - realization of transition?



1.2 Phase Transition(s) in Lattice QCD



[Fodor et al '10]



- cross-over(s) \leftrightarrow smooth EM emission rates across T_{pc}
- chiral restoration in “hadronic phase”? (low-mass dileptons!)
- hadron resonance gas

$$\frac{\langle\langle\bar{q}q\rangle\rangle(T, \mu_B)}{\langle\bar{q}q\rangle} = 1 - \sum_h \frac{\rho_h^s \Sigma_h}{m_\pi^2 f_\pi^2} \simeq 1 - \frac{T^2}{8f_\pi^2} - \frac{1}{3} \frac{\rho_N}{\rho_0} - \dots$$

Outline

2.) Chiral Symmetry Breaking in Vacuum

- Hadron Spectrum + Sum Rules

3.) Axial-/Vector Spectral Function in Medium

- Hadronic Theory
- QGP + Lattice QCD
- Assessing Chiral Restoration

4.) EM Probes at RHIC

- In-Medium Spectrometer
- Thermal Photons
- P_t Spectra + Collectivity

5.) Conclusions

2.1 Chiral Symmetry + QCD Vacuum

$\mathcal{L}_{\text{QCD}}(m_{u,d} \approx 0)$: flavor + “chiral” (left/right) invariant

“Higgs” Mechanism in Strong Interactions:

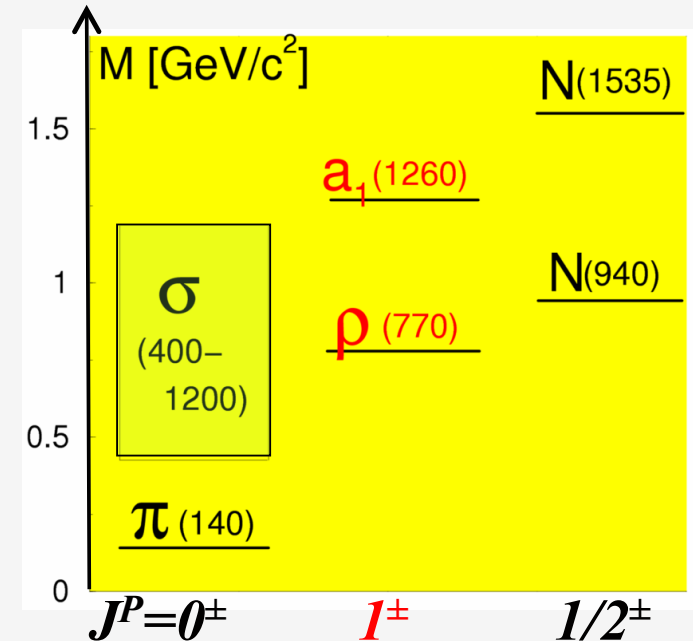
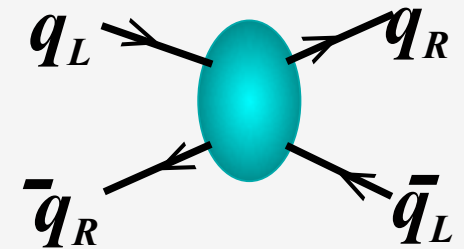
- $\bar{q}q$ attraction \Rightarrow condensate fills QCD vacuum!

$$\langle 0 | \bar{q}q | 0 \rangle = \langle 0 | \bar{q}_L q_R + \bar{q}_R q_L | 0 \rangle \approx -5f \bar{m}^3$$

Spontaneous Chiral Symmetry Breaking

Profound Consequences:

- effective quark mass: $m_q^* \propto \langle 0 | \bar{q}q | 0 \rangle$
 \leftrightarrow **mass generation!**
- near-massless Goldstone bosons $\pi^{0,\pm}$
- “chiral partners” split: $\Delta M \approx 0.5 \text{ GeV}$



2.2 Chiral (Weinberg) Sum Rules

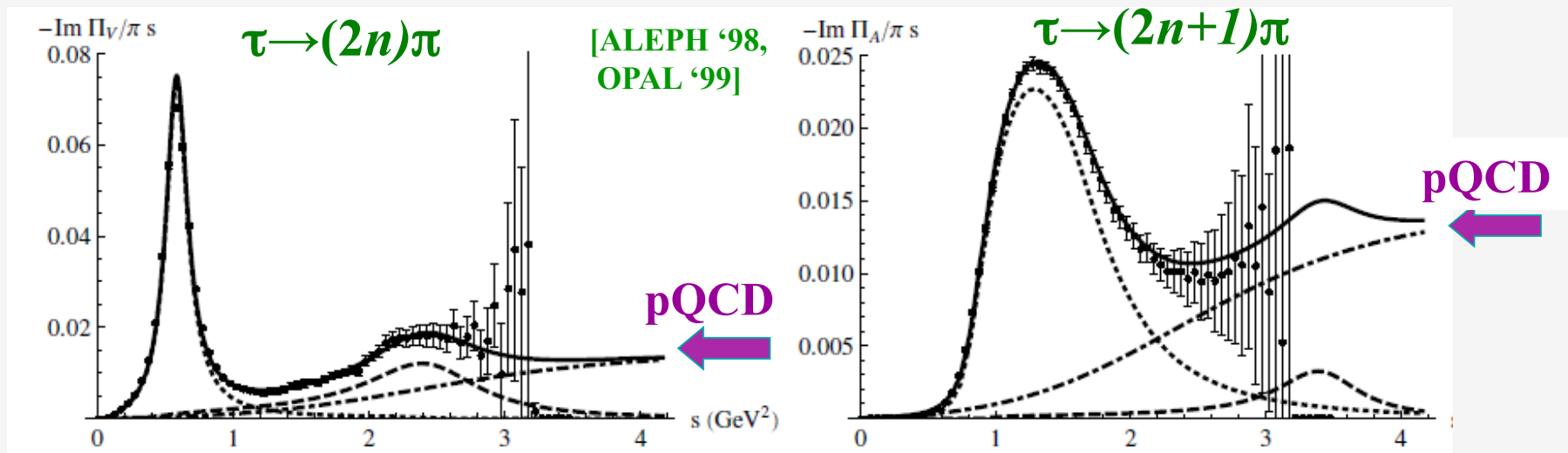
- Quantify chiral symmetry breaking via observable spectral functions
- Vector (ρ) - Axialvector (\mathbf{a}_1) spectral splitting

$$I_n = - \int \frac{ds}{\pi} s^n (Im \Pi_V - Im \Pi_A)$$

[Weinberg '67, Das et al '67]

$$I_{-2} = \frac{1}{3} f_\pi^2 r_\pi^2 - F_A, \quad I_{-1} = f_\pi^2,$$

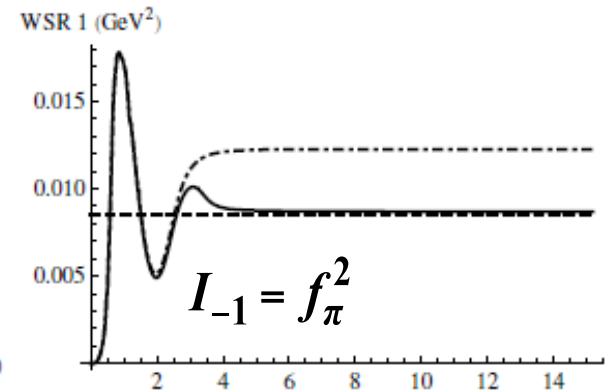
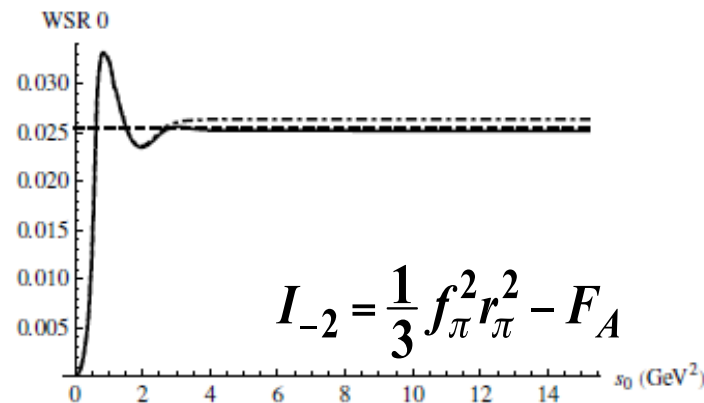
$$I_0 = -2m_q \langle 0 | \bar{q}q | 0 \rangle, \quad I_1 = c \alpha_s \langle 0 | (\bar{q}q)^2 | 0 \rangle$$



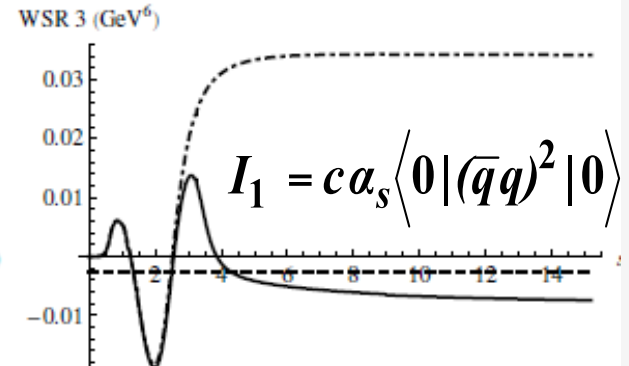
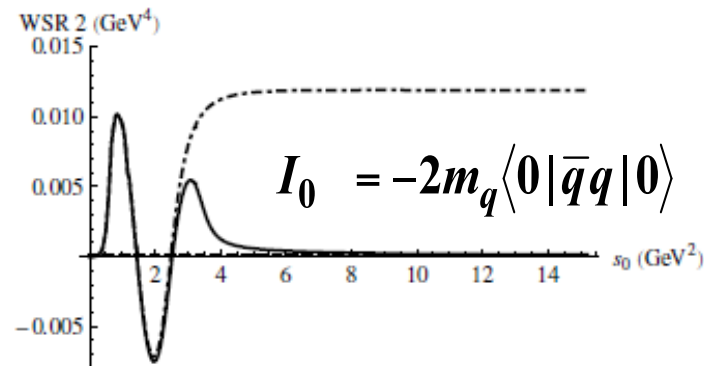
- Key features of updated “fit”: [Hohler+RR '12]
 $\rho + \mathbf{a}_1$ resonance, excited states ($\rho' + \mathbf{a}_1'$), universal continuum (pQCD!)

2.2.2 Evaluation of Chiral Sum Rules in Vacuum

- pion decay constants



- chiral quark condensates



- vector-axialvector splitting (one of the) cleanest observable of spontaneous chiral symmetry breaking
- promising starting point to search for chiral restoration

2.3 QCD Sum Rules: ρ and a_1 in Vacuum

- dispersion relation:

$$\int_0^\infty \frac{ds}{s} \frac{\text{Im}\Pi_\alpha(s)}{Q^2 + s} = \frac{\Pi_\alpha(Q^2)}{Q^2}$$

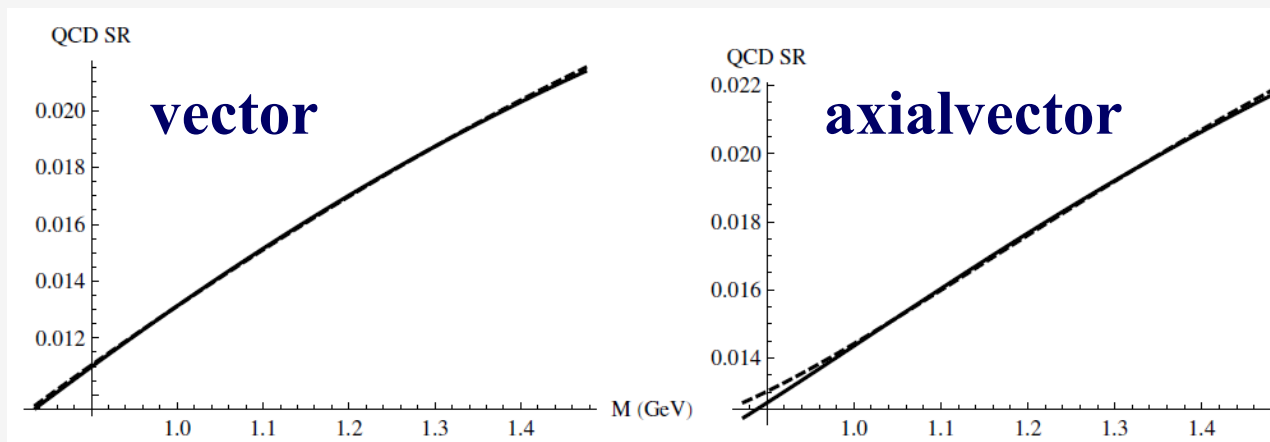
[Shifman,Vainshtein+Zakharov '79]

- lhs: hadronic spectral fct.
- rhs: operator product expansion

$$\frac{1}{M^2} \int_0^\infty ds \frac{\rho_V(s)}{s} e^{-s/M^2} = \frac{1}{8\pi^2} \left(1 + \frac{\alpha_s}{\pi}\right) + \frac{m_q \langle \bar{q}q \rangle}{M^4} + \frac{1}{24M^4} \langle \frac{\alpha_s}{\pi} G_{\mu\nu}^2 \rangle - \frac{56\pi\alpha_s}{81M^6} \langle \mathcal{O}_4^V \rangle \dots$$

$$\frac{1}{M^2} \int_0^\infty ds \frac{\bar{\rho}_A(s)}{s} e^{-s/M^2} = \frac{1}{8\pi^2} \left(1 + \frac{\alpha_s}{\pi}\right) + \frac{m_q \langle \bar{q}q \rangle}{M^4} + \frac{1}{24M^4} \langle \frac{\alpha_s}{\pi} G_{\mu\nu}^2 \rangle + \frac{88\pi\alpha_s}{81M^6} \langle \mathcal{O}_4^A \rangle \dots$$

- 4-quark + gluon condensate dominant



Outline

2.) Chiral Symmetry Breaking in Vacuum

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3.) Axial-/Vector Spectral Function in Medium

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4.) EM Probes at RHIC

- In-Medium Spectrometer
- Thermal Photons
- P_t Spectra + Collectivity

5.) Conclusions

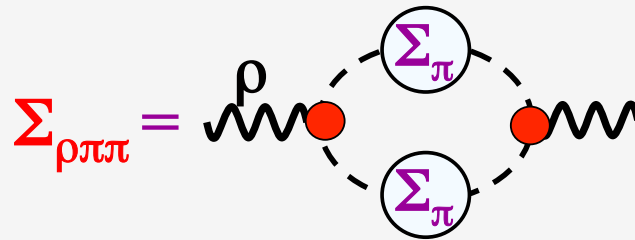
3.1 Vector Mesons in Hadronic Matter

[Chanfray et al, Herrmann et al, Asakawa et al, RR et al, Koch et al, Klingl et al, Post et al, Eletsky et al, Harada et al ...]

ρ -Propagator:

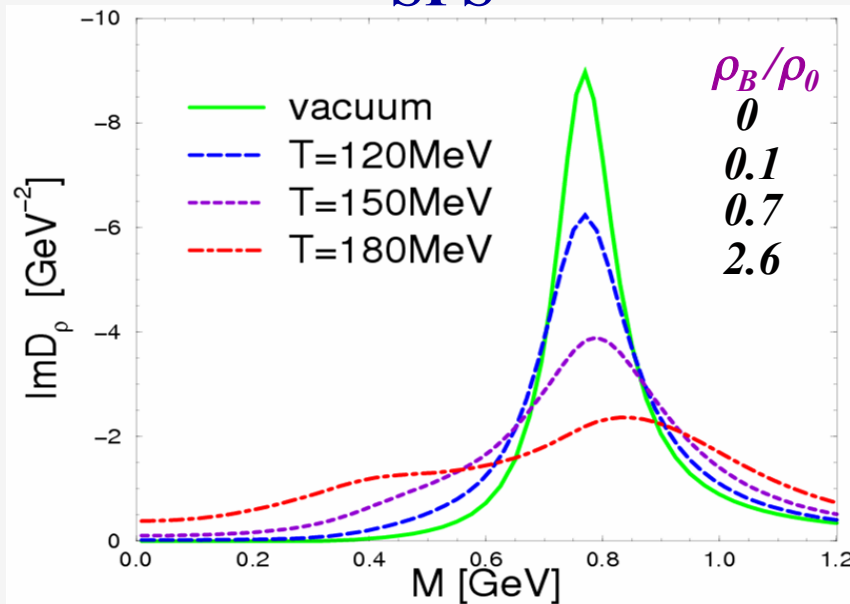
$$D_\rho(M, q; \mu_B, T) = [M^2 - m_\rho^2 - \Sigma_{\rho\pi\pi} - \Sigma_{\rho B} - \Sigma_{\rho M}]^{-1}$$

Selfenergies:

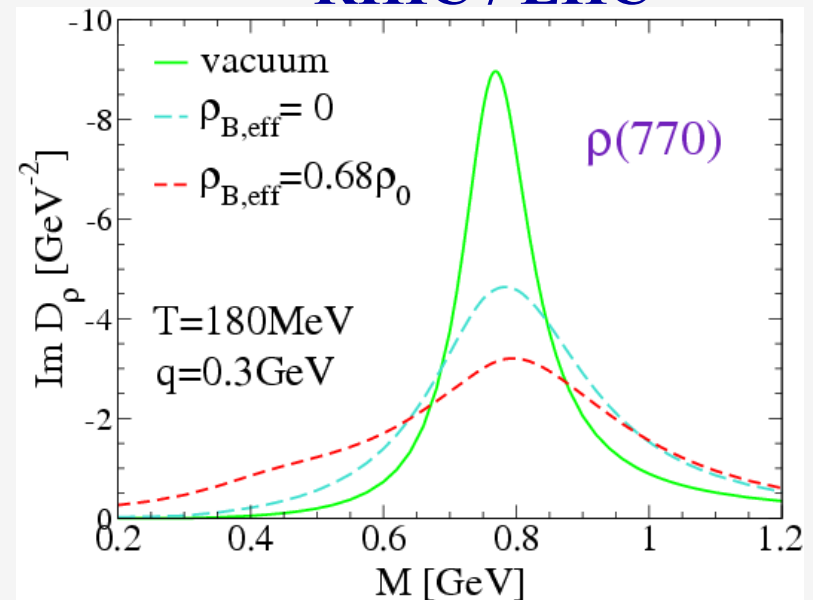


Constraints: decays: $B, M \rightarrow \rho N, \rho\pi, \dots$; scattering: $\pi N \rightarrow \rho N, \gamma A, \dots$

SPS

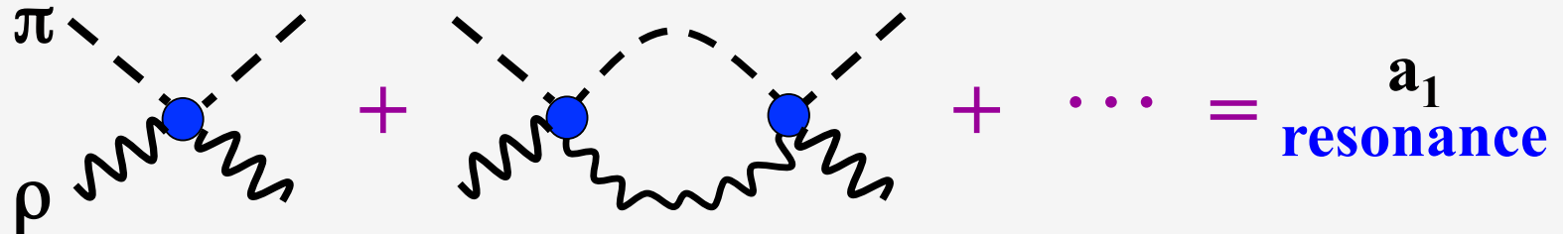


RHIC / LHC

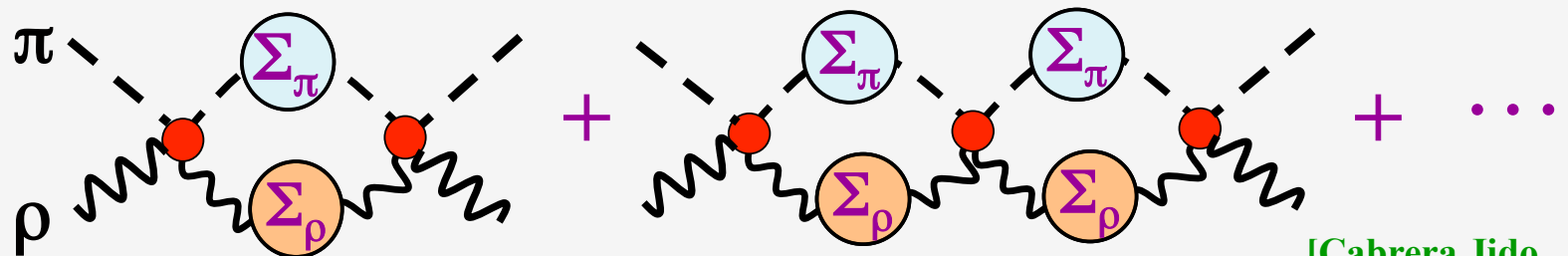


3.2 Axialvector in Nucl. Matter: Dynamical $a_1(1260)$

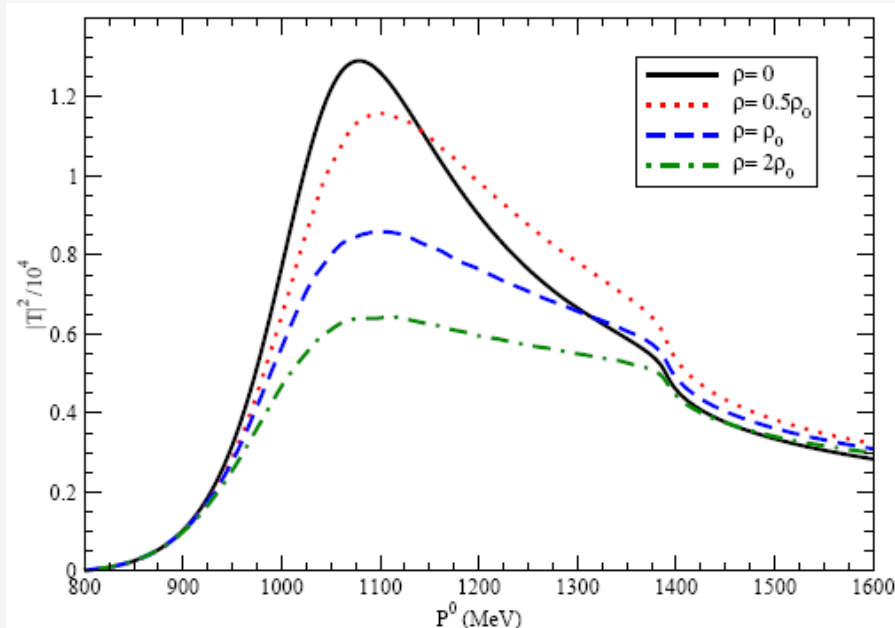
Vacuum:



In Medium:



[Cabrera,Jido,
Roca+RR '09]



- in-medium $\pi + \rho$ propagators
- broadening of π - ρ scatt. Amplitude
- pion decay constant in medium:

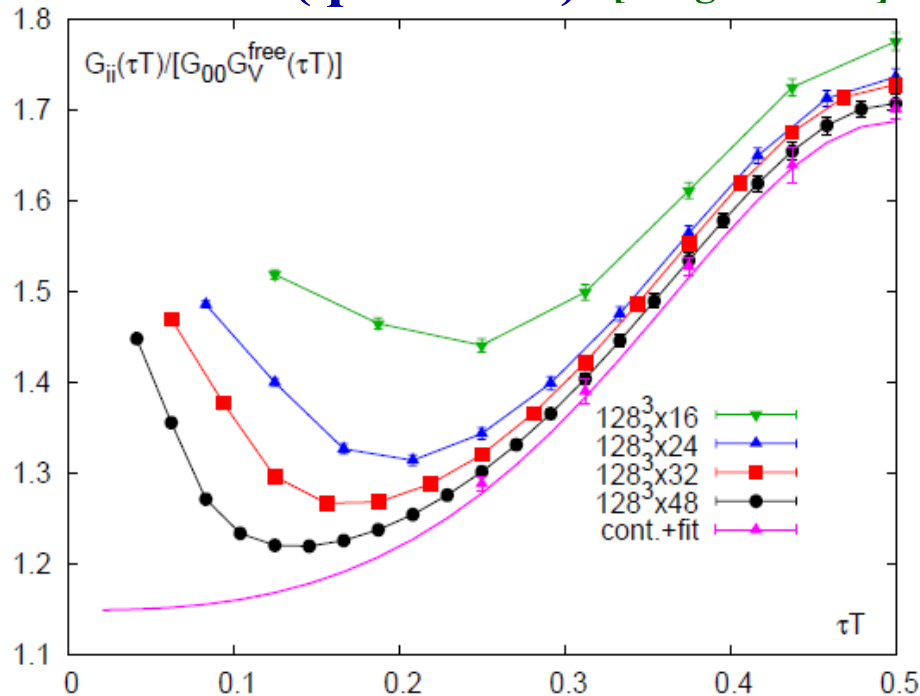
ρ/ρ_0	present work (π -selfenergy A)	present work (π -selfenergy B)
0	93	93
1/2	100-108	91-101
1	65-86	66-93

3.3 Vector Correlator in Thermal Lattice QCD

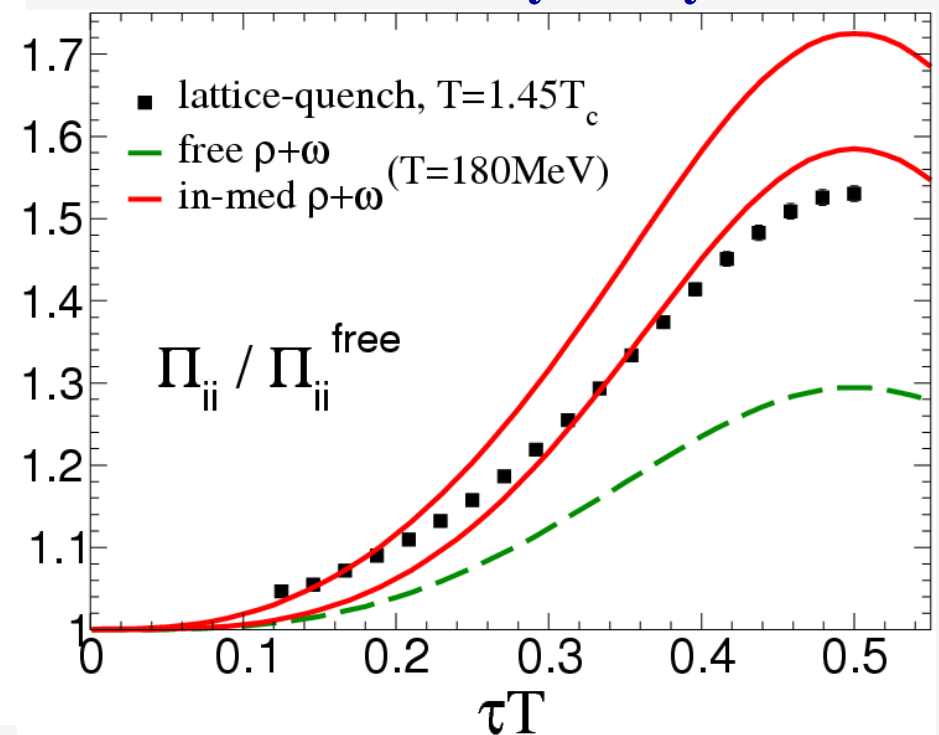
- Euclidean Correlation fct.

$$\Pi_{em}(\tau, q; T) = \int_0^\infty \frac{dq_0}{2\pi} \rho_{em}(q_0, q; T) \frac{\cosh[q_0(\tau - 1/2T)]}{\sinh[q_0/2T]}$$

Lattice (quenched) [Ding et al '10]

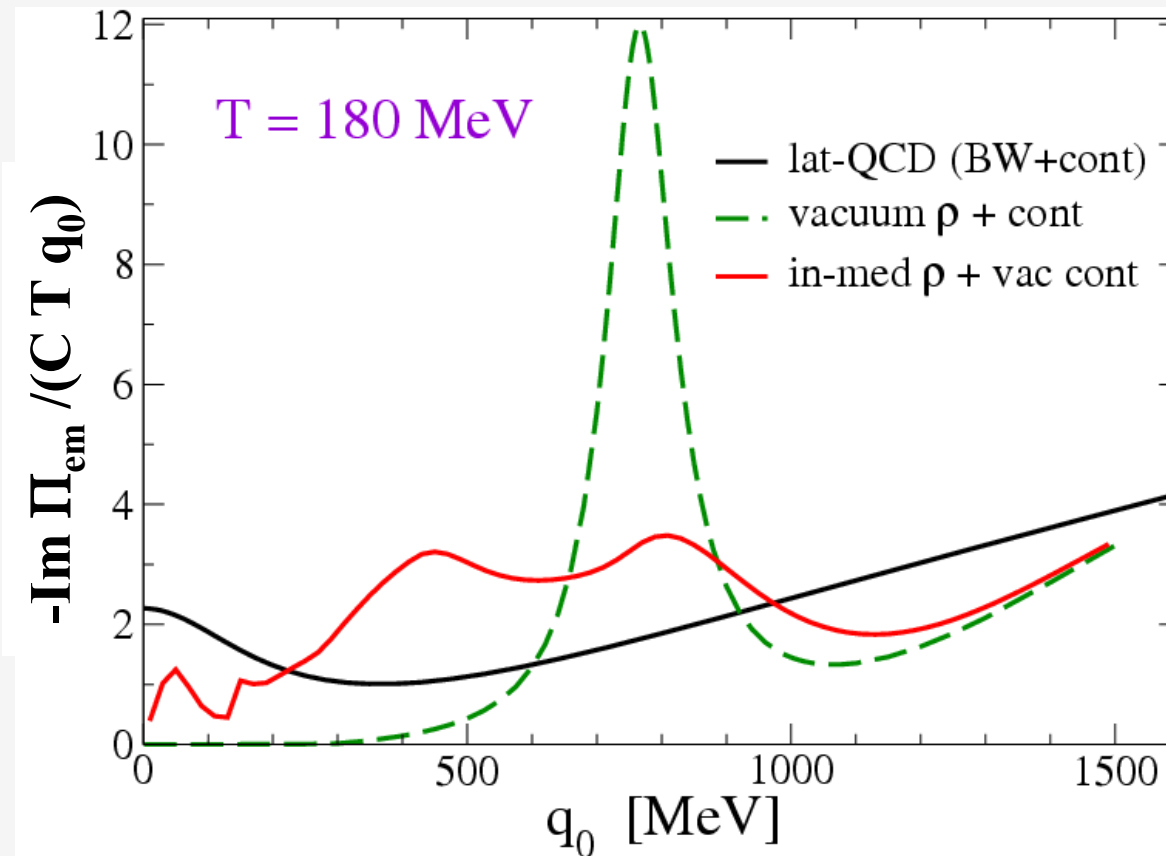


Hadronic Many-Body [RR '02]



- “Parton-Hadron Duality” of lattice and in-medium hadronic?!

3.3.2 Back to Spectral Function

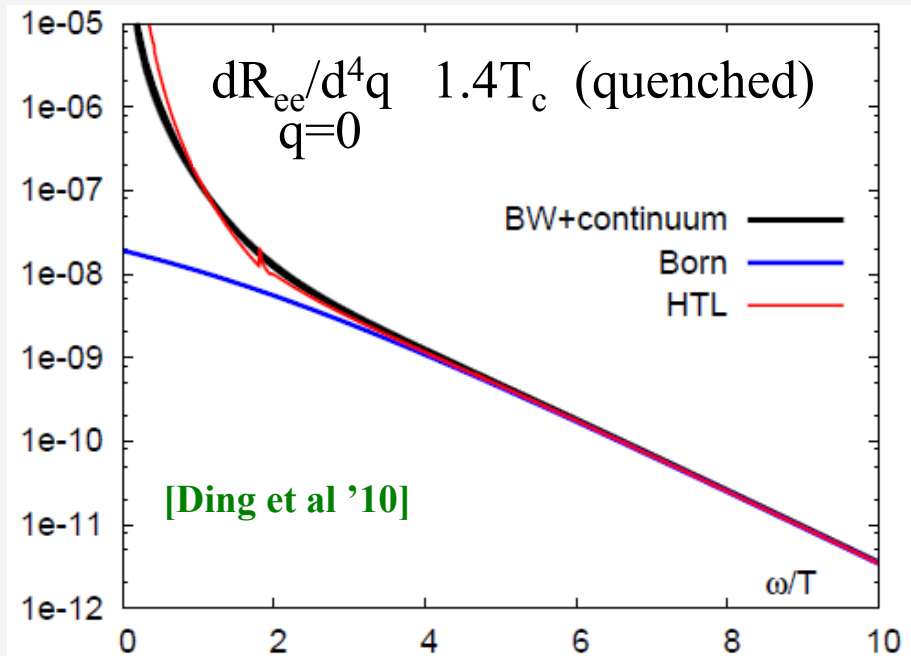
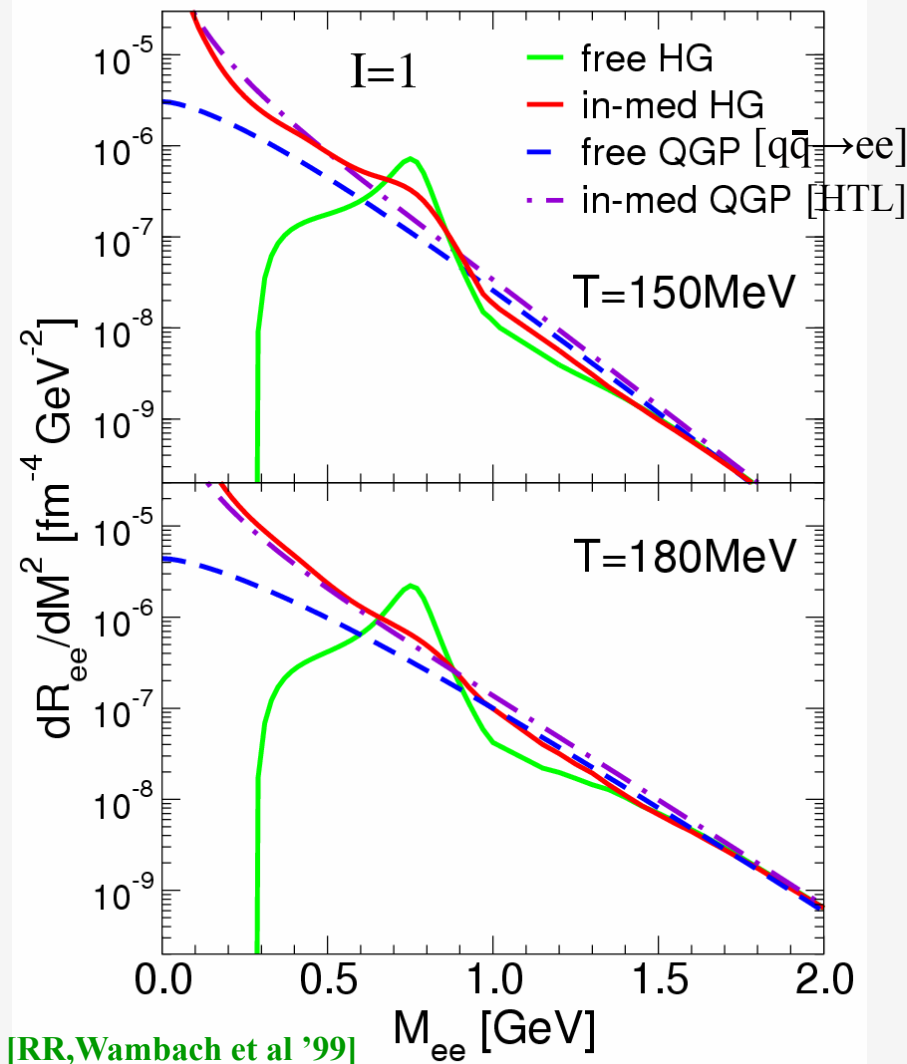


- suggests approach to chiral restoration + deconfinement

3.4 Dilepton Rates: Hadronic - Lattice - Perturbative

$$dR_{ee}/dM^2 \sim \int d^3q f^B(q_0; T) \text{Im } \Pi_V$$

- 3-fold “degeneracy” toward $\sim T_c$
- Quark-Hadron Duality at all M ?!
(\Leftrightarrow degenerate axialvector SF)



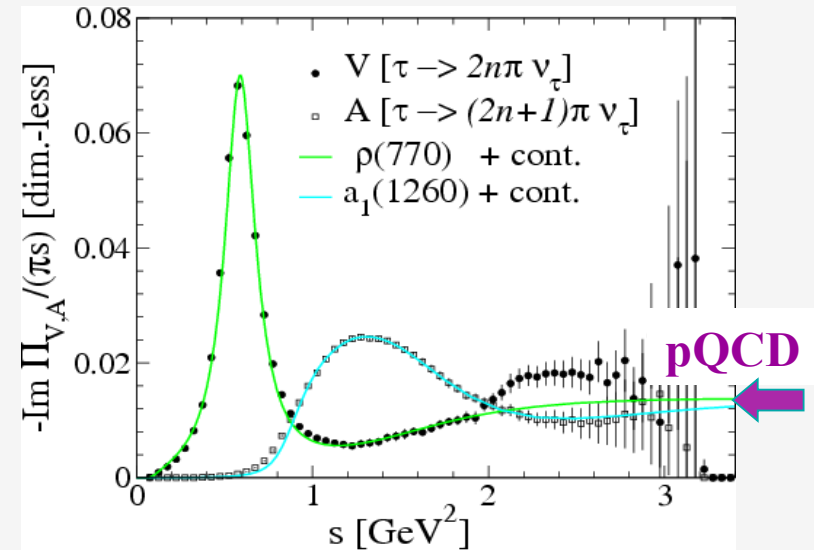
3.5 Summary: Criteria for Chiral Restoration

- **Vector (ρ) – Axialvector (a_1) degenerate**

$$I_n = - \int \frac{ds}{\pi} s^n (Im \Pi_V - Im \Pi_A)$$

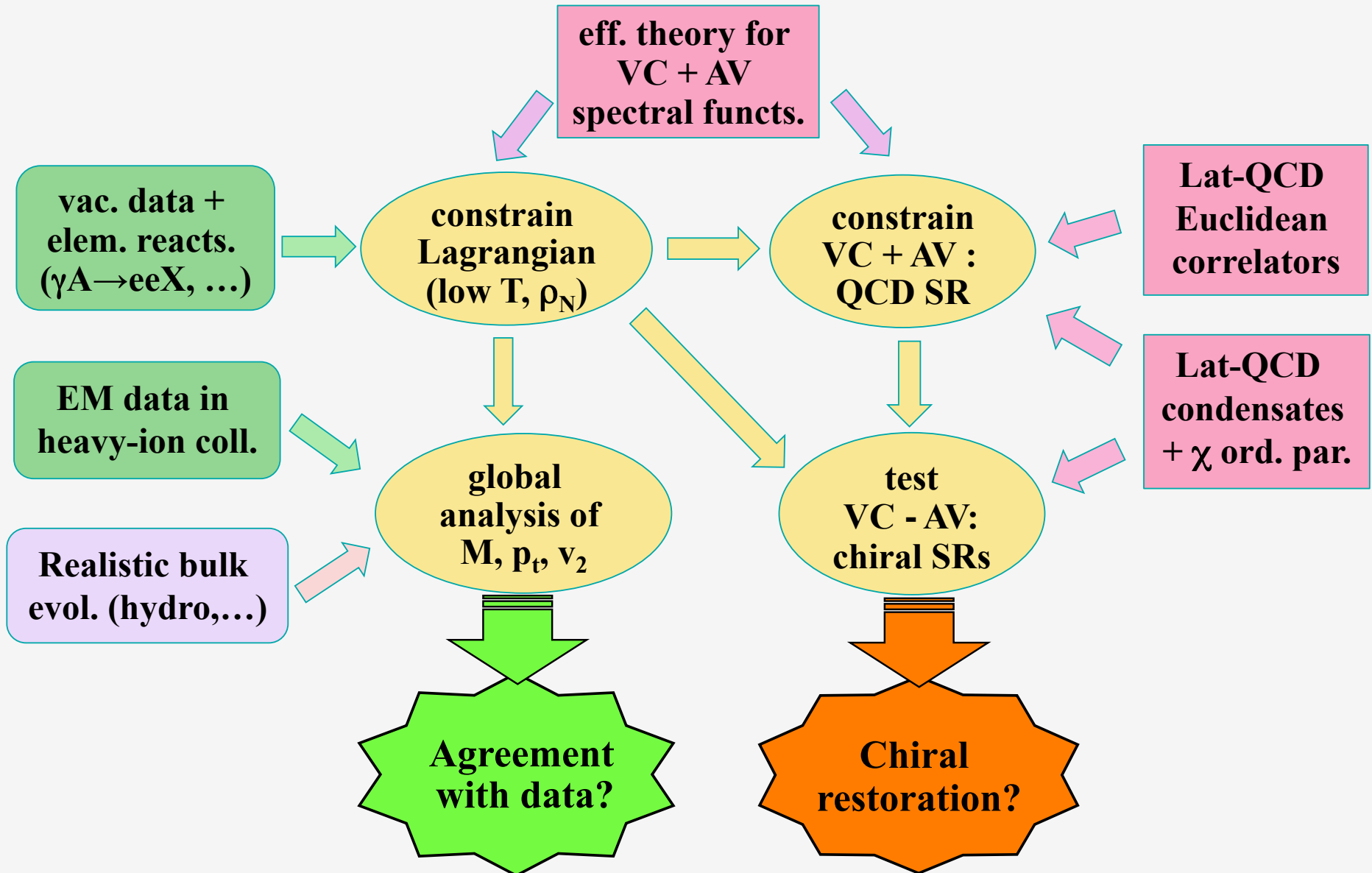
[Weinberg '67,
Das et al '67]

$$I_{-1} = f_\pi^2, \quad I_0 = 0, \quad I_1 = c \alpha_s \langle (\bar{q}q)^2 \rangle$$



- **QCD sum rules:**
medium modifications \leftrightarrow vanishing of condensates
- **Agreement with thermal lattice-QCD**
- **Approach to perturbative rate (QGP)**

3.6 Strategies to Test For Chiral Restoration



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4.) EM Probes at RHIC

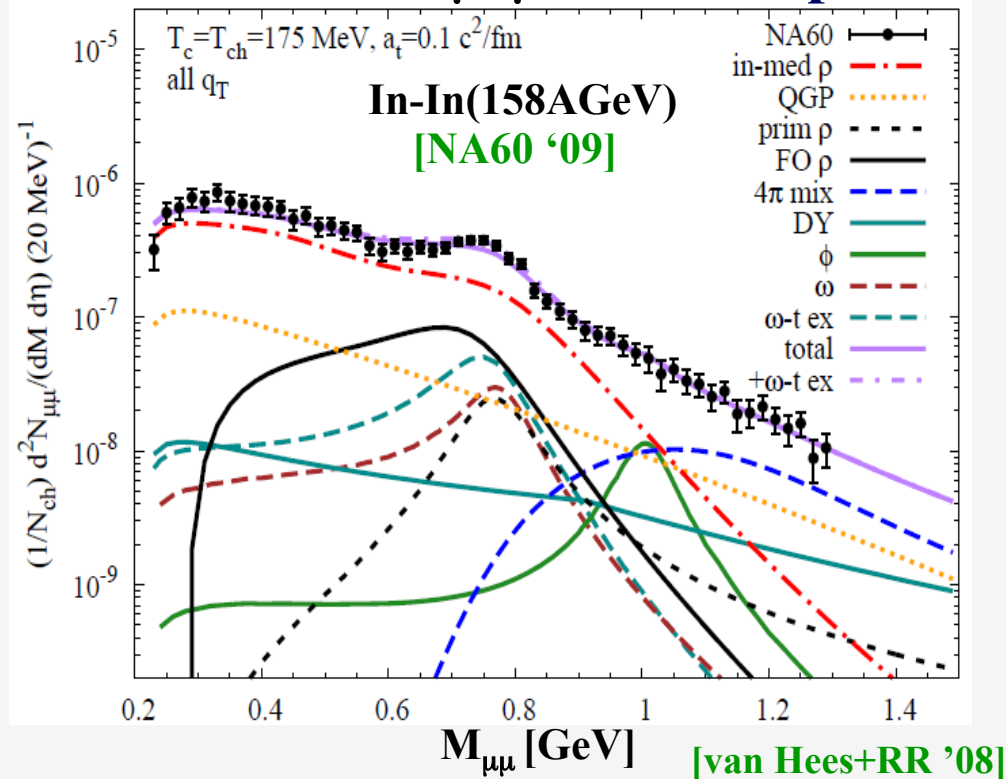
- In-Medium Spectrometer
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5.) Conclusions

4.1 Dilepton Rates vs. Exp.: NA60 “Spectrometer”

- Evolve rates over fireball expansion:

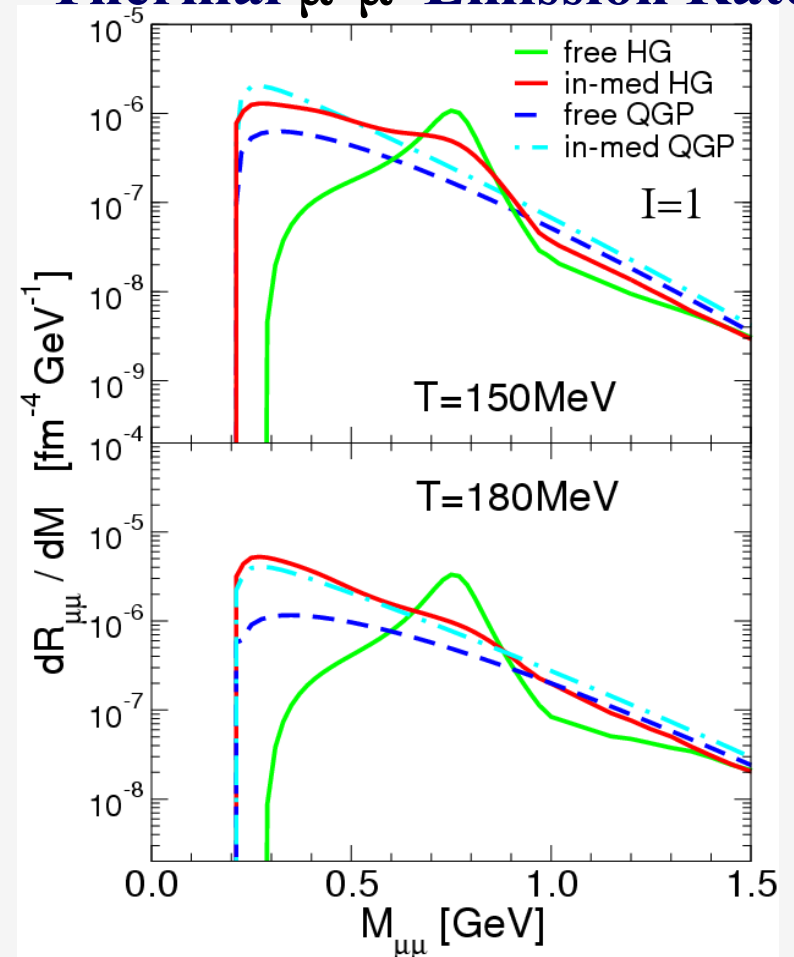
Acc.-corrected $\mu^+\mu^-$ Excess Spectra



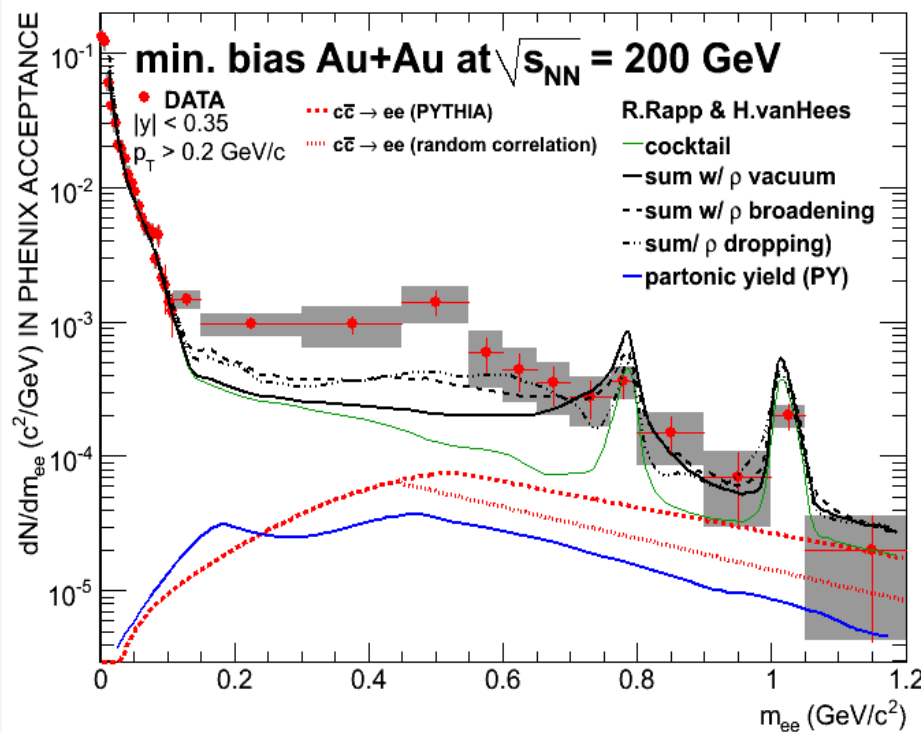
- invariant-mass spectrum directly reflects thermal emission rate!

$$\frac{dN_{\mu\mu}^{therm}}{dM} = \int_{\tau_0}^{\tau_{fo}} d\tau V_{FB}(\tau) \int \frac{M d^3q}{q_0} \frac{dR_{\mu\mu}^{therm}}{d^4q}$$

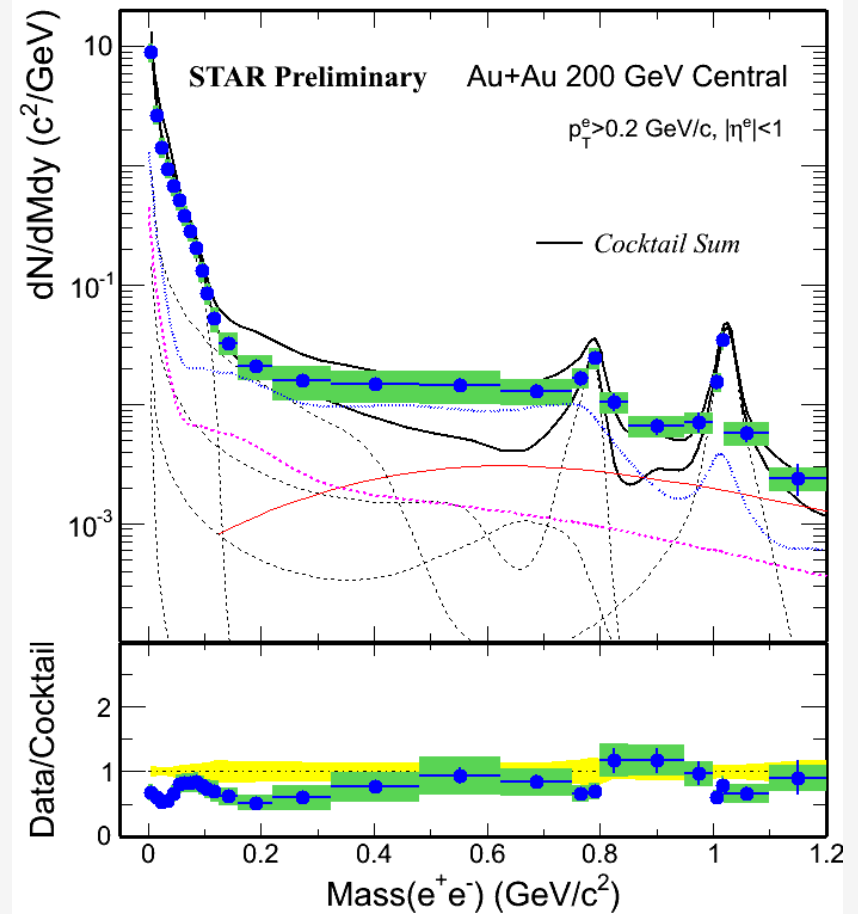
Thermal $\mu^+\mu^-$ Emission Rate



4.2 Low-Mass e^+e^- at RHIC: PHENIX vs. STAR



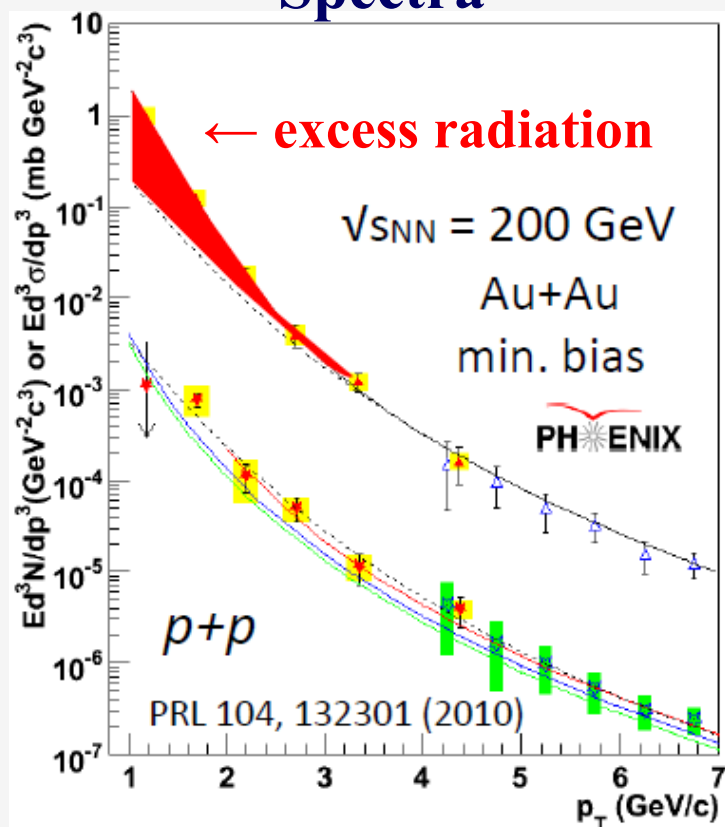
- “large” enhancement not accounted for by theory
- cannot be filled by QGP radiation...



- (very) low-mass region overpredicted... (SPS?!)

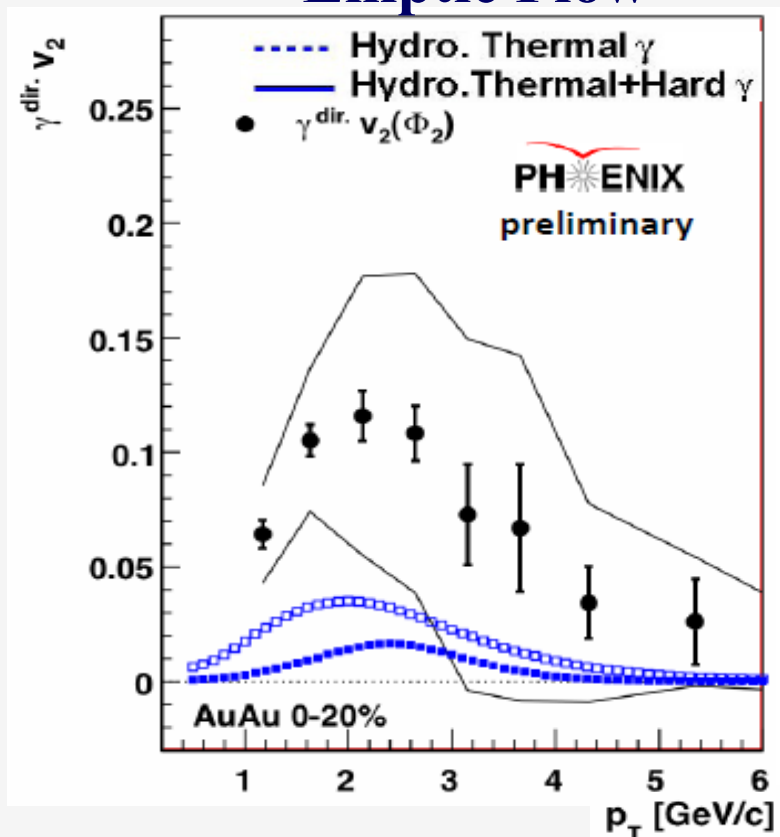
4.3 Direct Photons at RHIC

Spectra



- $T_{\text{eff}}^{\text{excess}} = (220 \pm 25) \text{ MeV}$
- QGP radiation?
- radial flow?

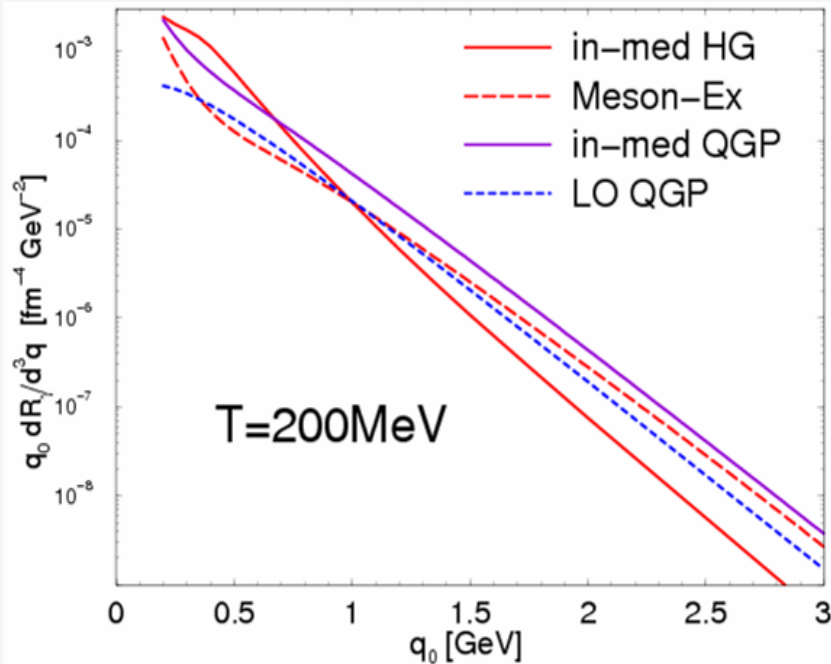
Elliptic Flow



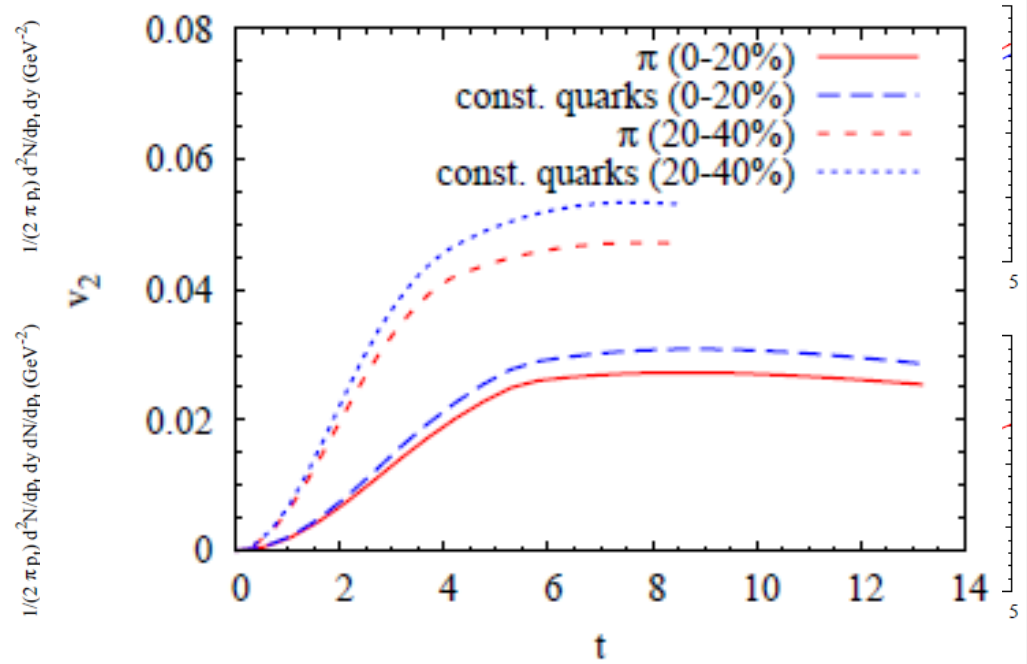
- $v_2^{\gamma, \text{dir}}$ comparable to pions!
- under-predicted by early QGP emission [Holopainen et al '11,...]

4.3.2 Revisit Ingredients

Emission Rates



Fireball Evolution

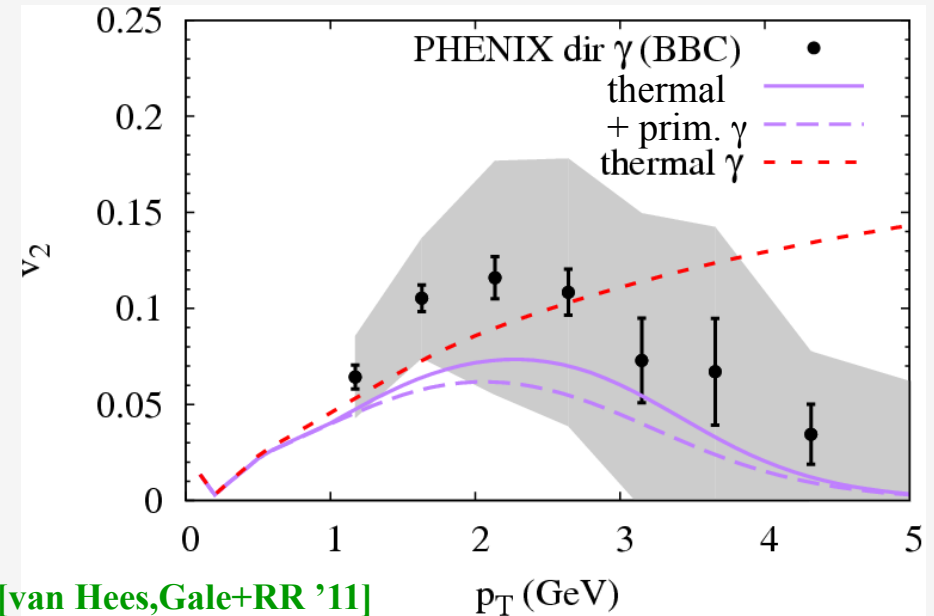
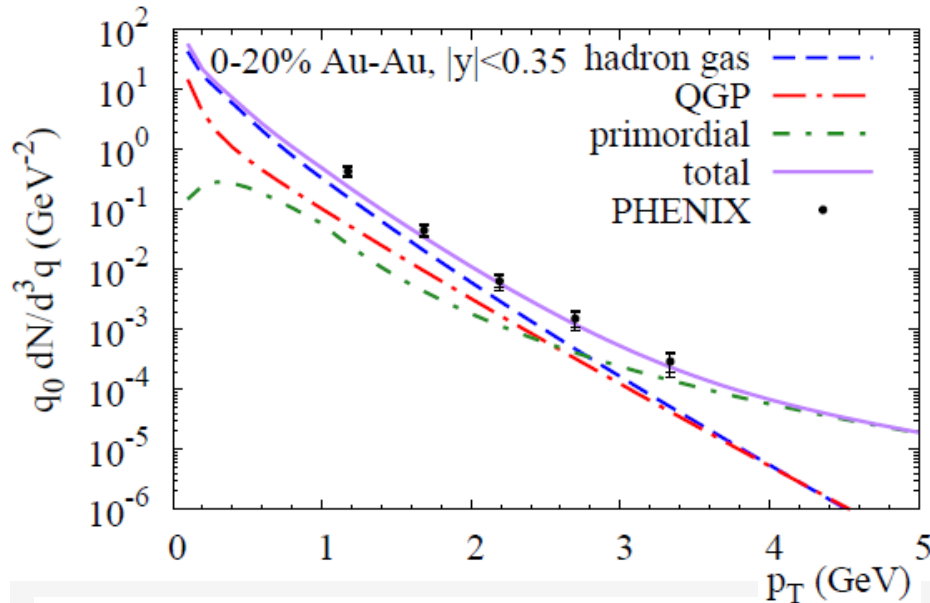


- Hadron - QGP continuity!
 - conservative estimates...
- [Turbide et al '04]

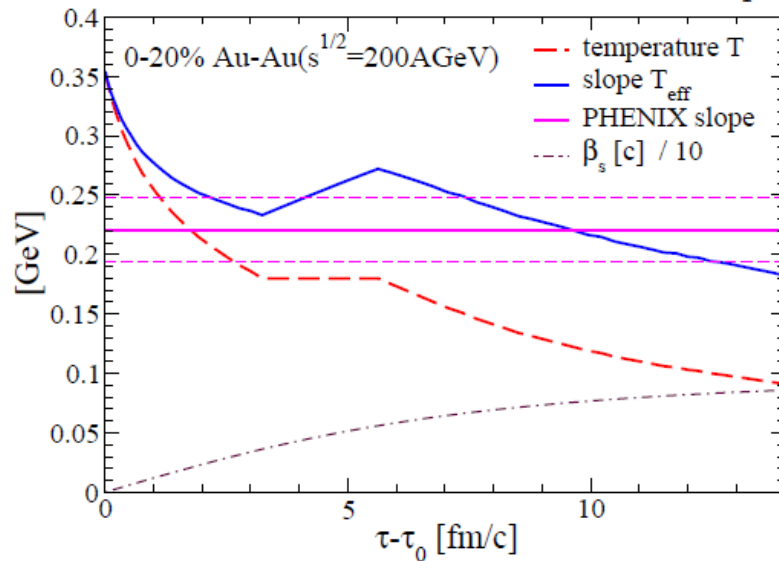
- multi-strange hadrons at “ T_c ”
- v_2^{bulk} fully built up at hadronization
- chemical potentials for π , K, ...

[van Hees et al '11]

4.3.3 Thermal Photon Spectra + v_2 : PHENIX

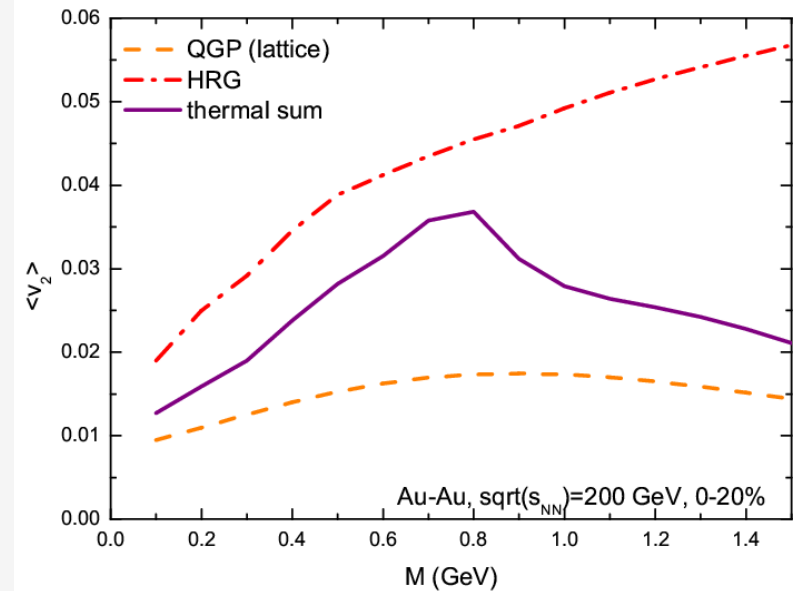
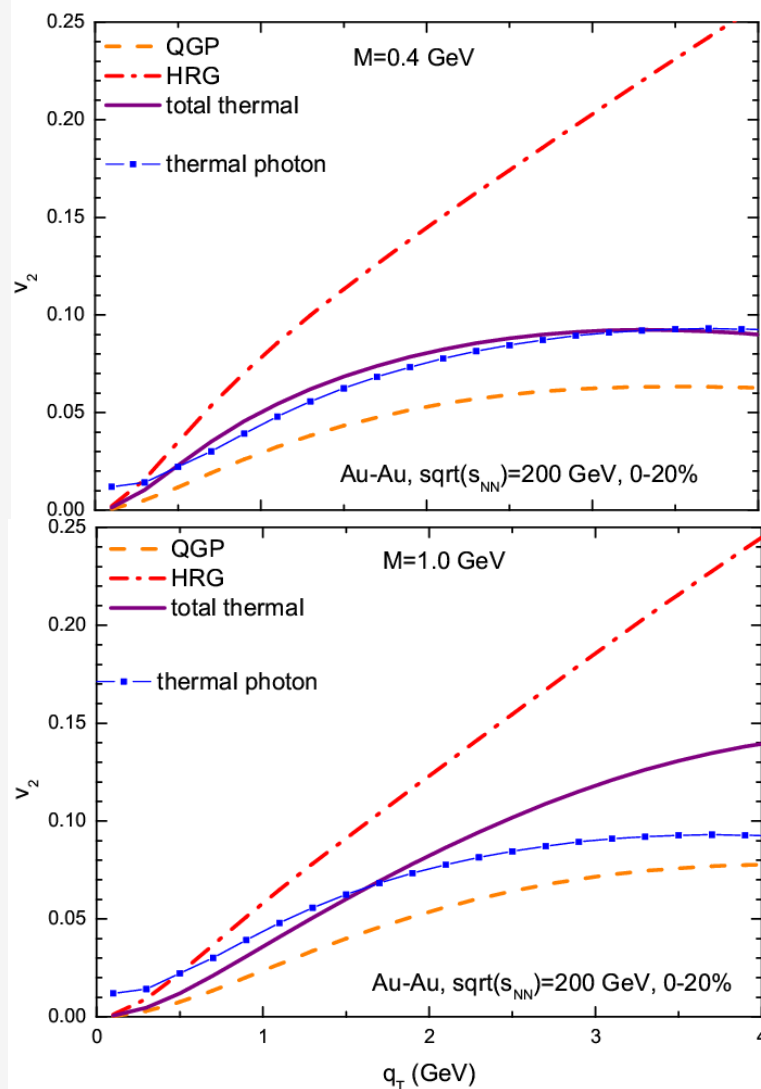


[van Hees, Gale+RR '11]



- “small” slope + large v_2 suggest main emission around T_c
- confirmed within hydro [He et al in prep.]
- exotic mechanisms:
 - glasma BE? [Liao et al '12]
 - $U_A(1)$? [Skokov et al '12]

4.4 Elliptic Flow of Dileptons at RHIC



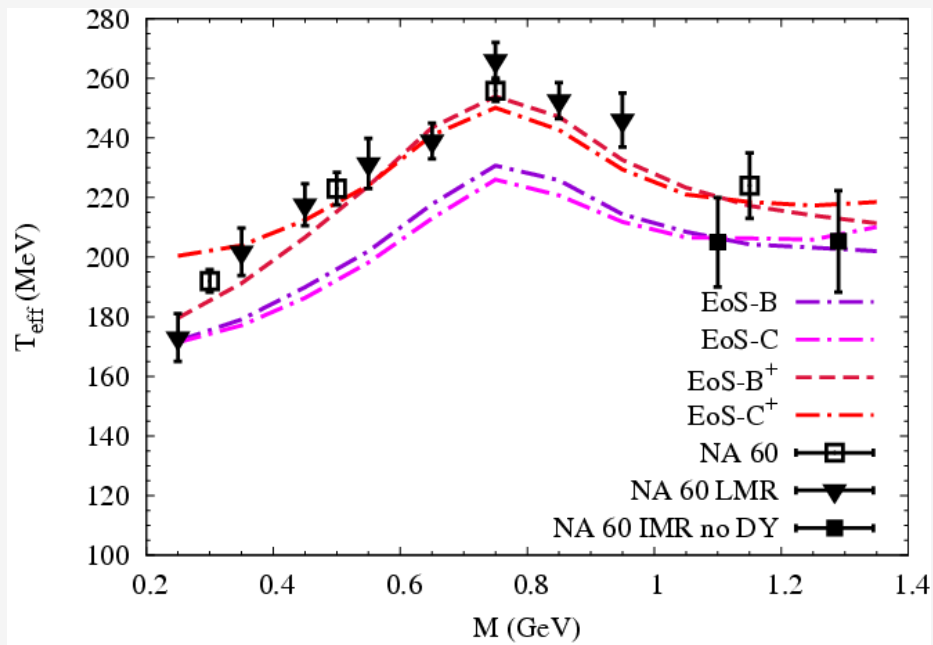
- maximum structure due to late ρ decays

[He et al '12]

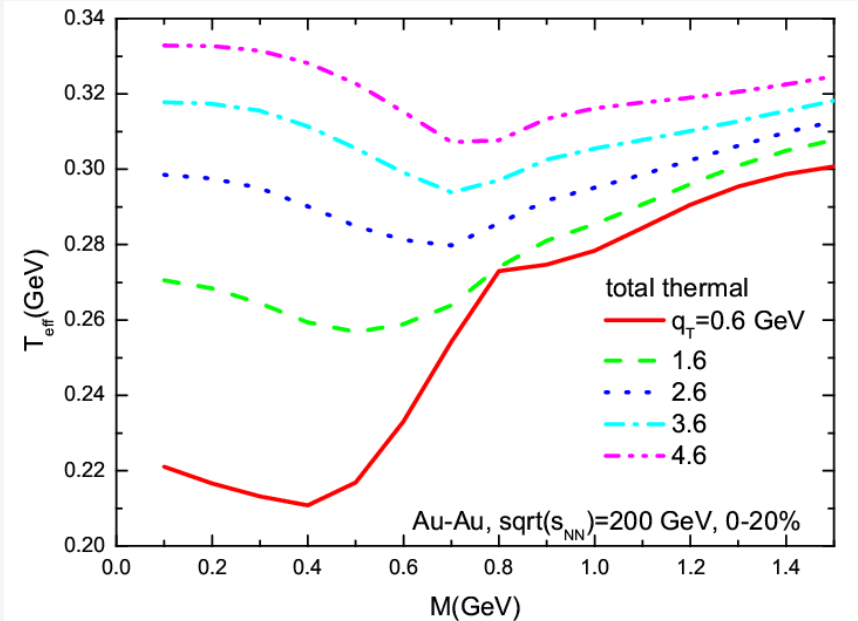
[Chatterjee et al '07, Zhuang et al '09]

4.5 QGP Barometer: Blue Shift vs. Temperature

SPS



RHIC



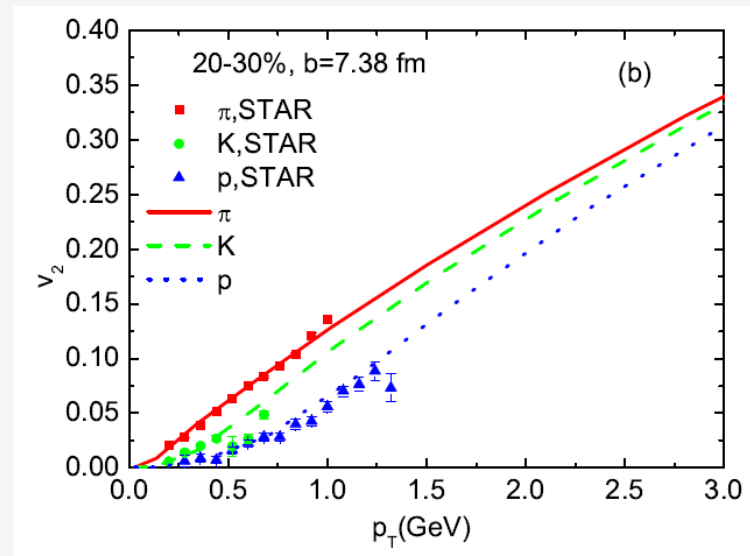
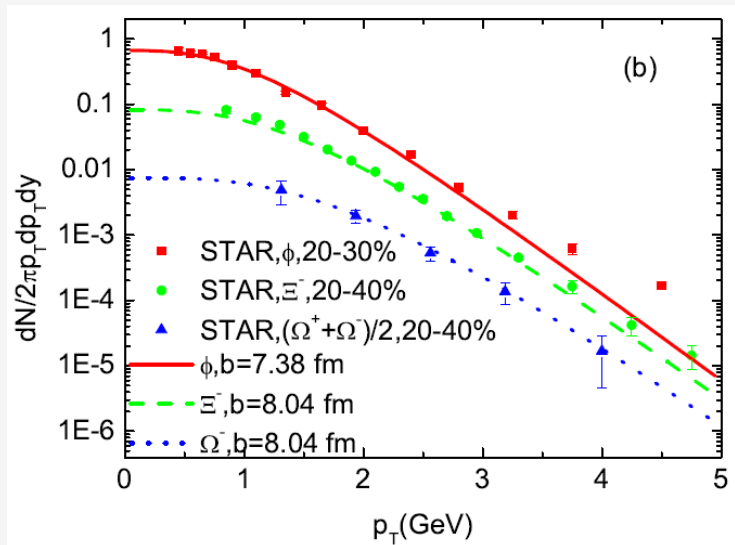
- QGP-flow driven increase of $T_{\text{eff}} \sim T + M (\beta_{\text{flow}})^2$ at **RHIC**
- high \mathbf{p}_t : high \mathbf{T} wins over high-flow ρ 's \rightarrow minimum (opposite to **SPS**!)
- saturates at “true” early temperature \mathbf{T}_0 (no flow)

5.) Conclusions

- Axial/Vector spectral functions **well suited** to quantify chiral symmetry breaking and restoration
- **Constraints** on in-medium V/A spectral functions:
 - elementary reactions
 - lattice QCD correlators
 - QCD sum rules (condensates)
- Use **EM spectral function** to connect:
 - dilepton/photon data in URHICs
 - Weinberg sum rules
- Corrolary use of EM probes:
 - fireball lifetime + temperature (M-spectra)
 - collectivity to determine emission source
- **Interpretation of RHIC results wide open**

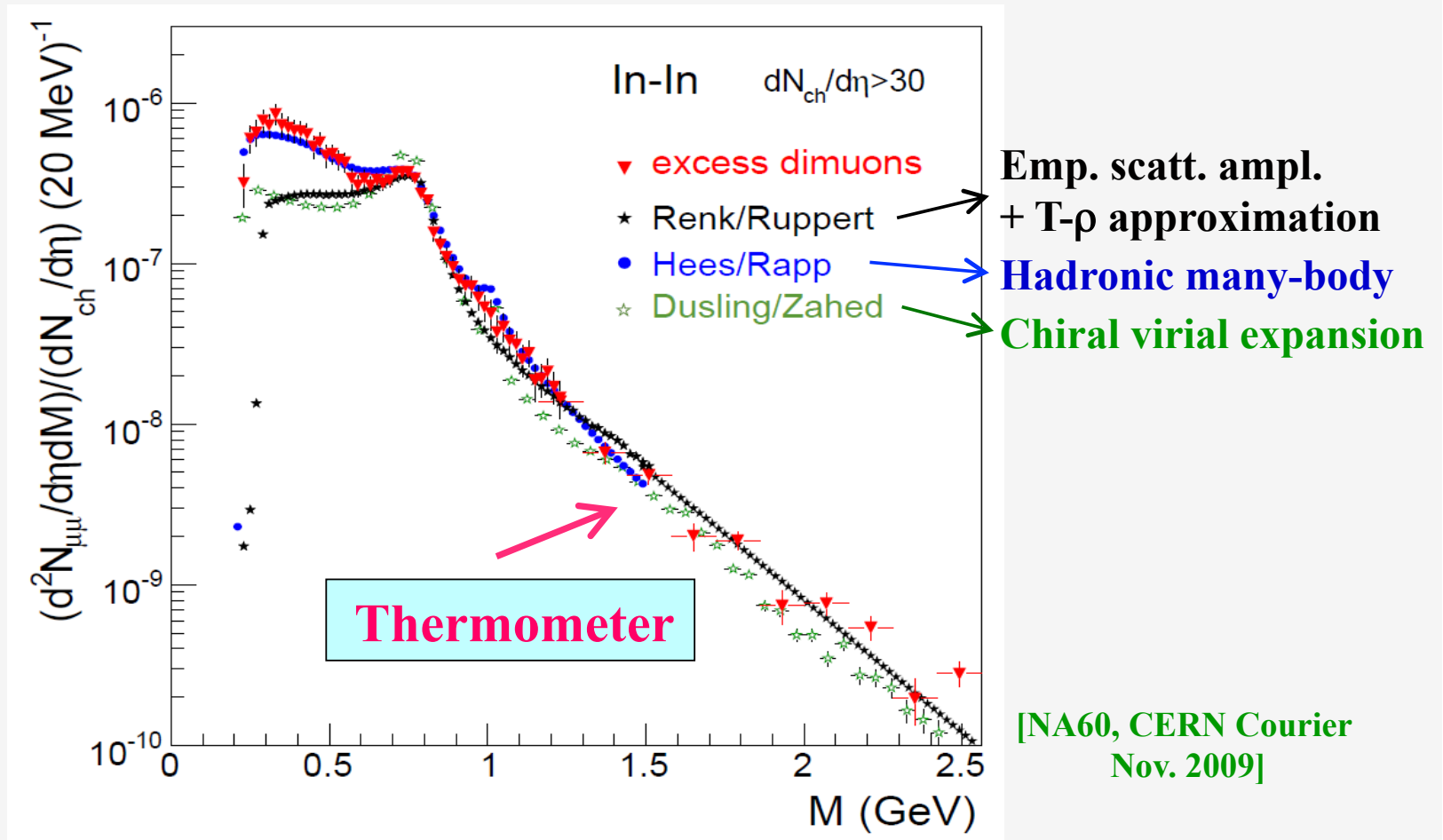
4.1 Quantitative Bulk-Medium Evolution

- initial conditions (compact, initial flow?)
- EoS: lattice (QGP, $T_c \sim 170 \text{ MeV}$) + chemically frozen hadronic phase
- spectra + elliptic flow: multistrange at $T_{ch} \sim 160 \text{ MeV}$ [He et al '11]
 $\pi, K, p, \Lambda, \dots$ at $T_{fo} \sim 110 \text{ MeV}$



- v_2 saturates at T_{ch} , good light-/strange-hadron phenomenology

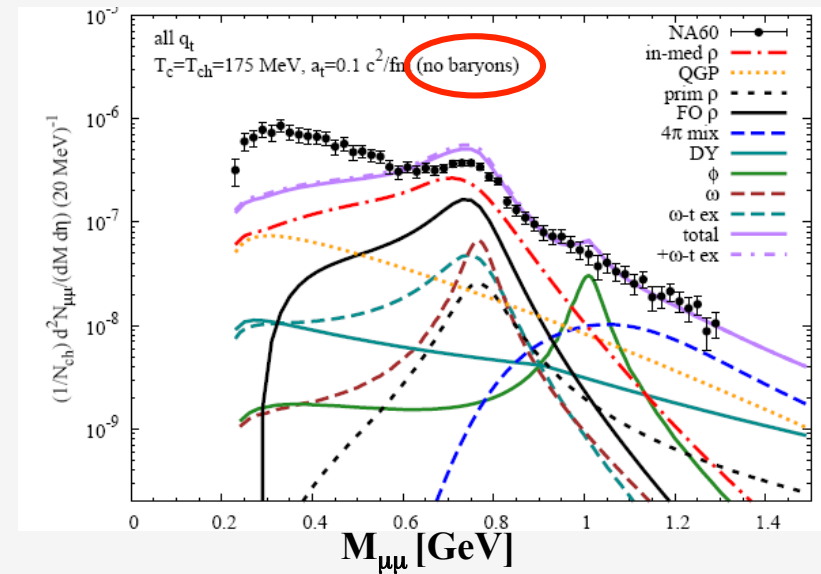
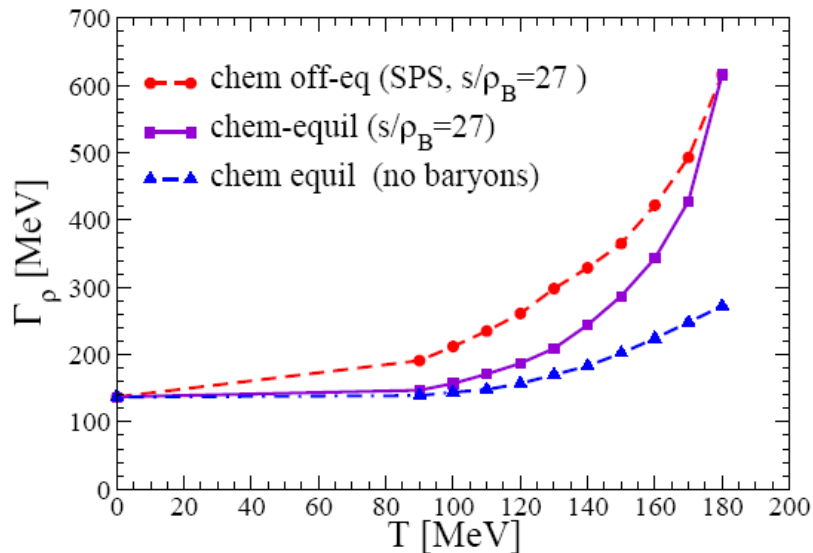
4.1.3 Mass Spectra as **Thermometer**



- Overall slope $T \sim 150\text{--}200\text{ MeV}$ (true T , no blue shift!)

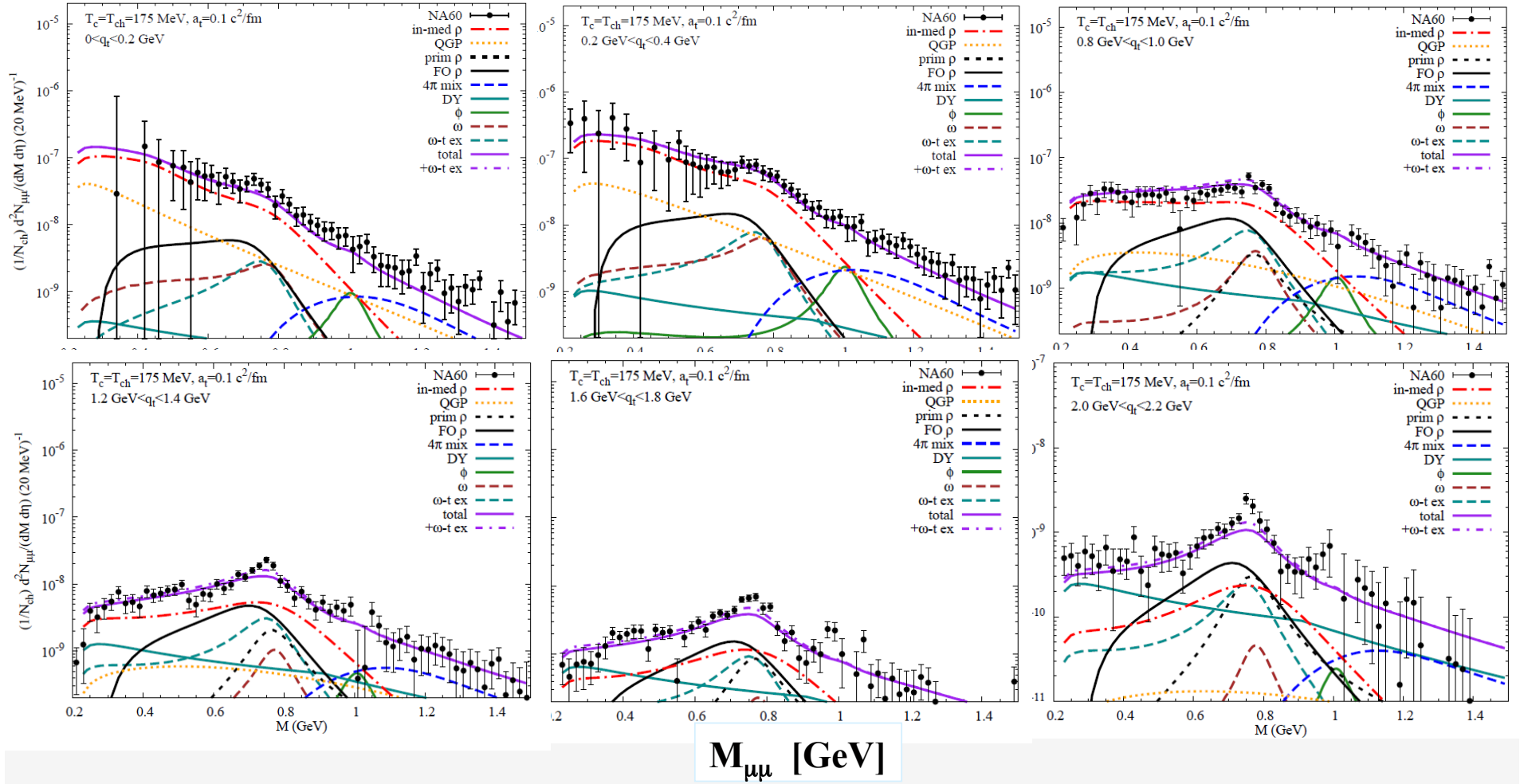
4.1.2 Sensitivity to Spectral Function

In-Medium ρ -Meson Width



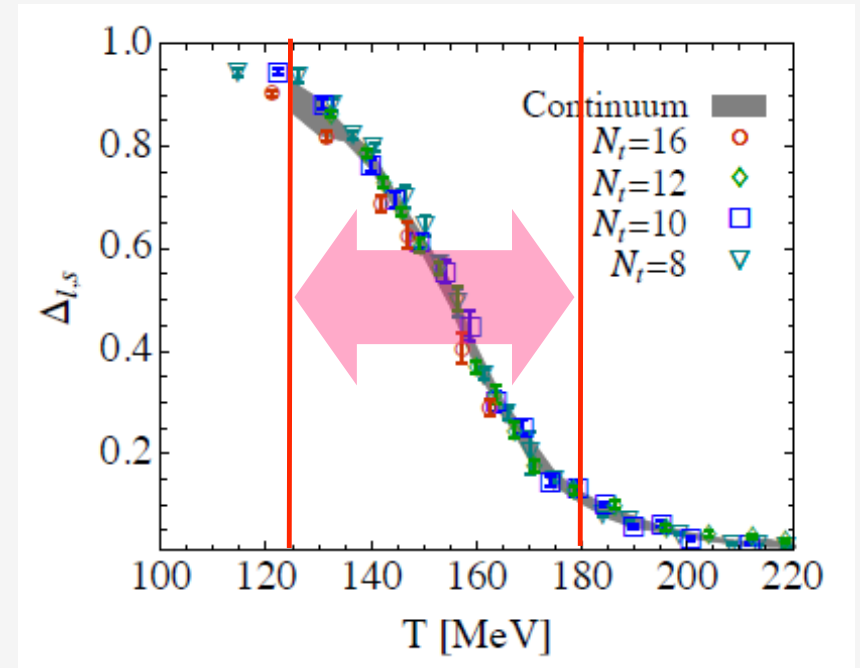
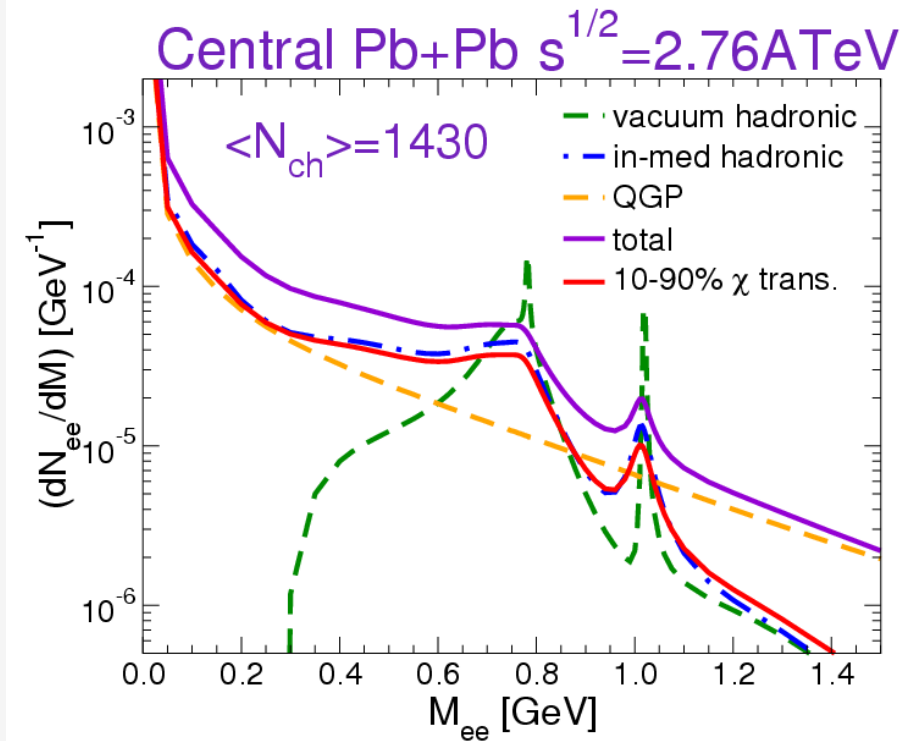
- avg. $\Gamma_\rho(T \sim 150 \text{ MeV}) \sim 370 \text{ MeV} \Rightarrow \Gamma_\rho(T \sim T_c) \approx 600 \text{ MeV} \rightarrow m_\rho$
- driven by (anti-) baryons

2.3.2 NA60 Mass Spectra: p_t Dependence



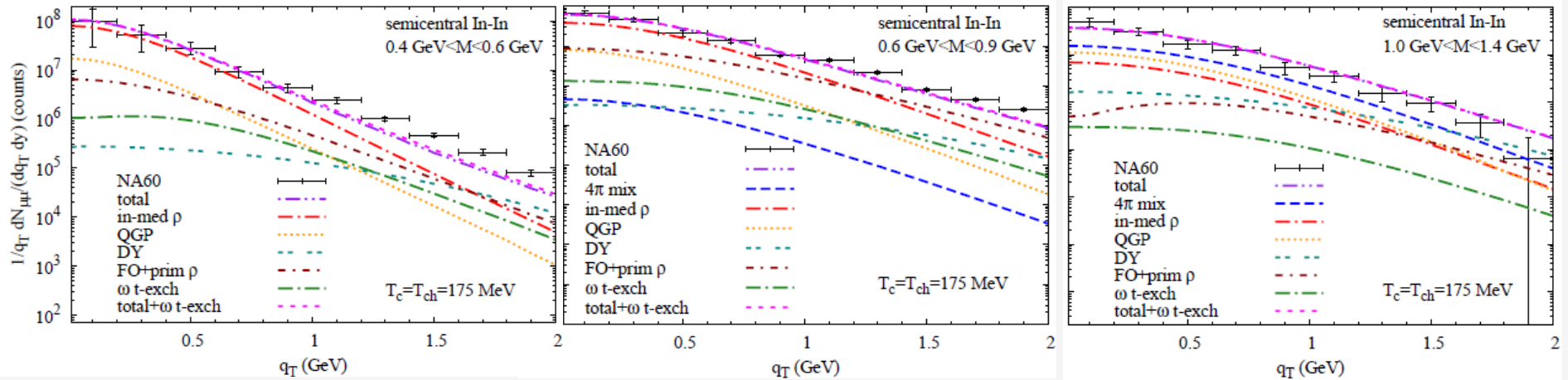
- more involved at $p_T > 1.5 \text{ GeV}$: Drell-Yan, primordial/freezeout ρ , ...

5.2 Chiral Restoration Window at LHC



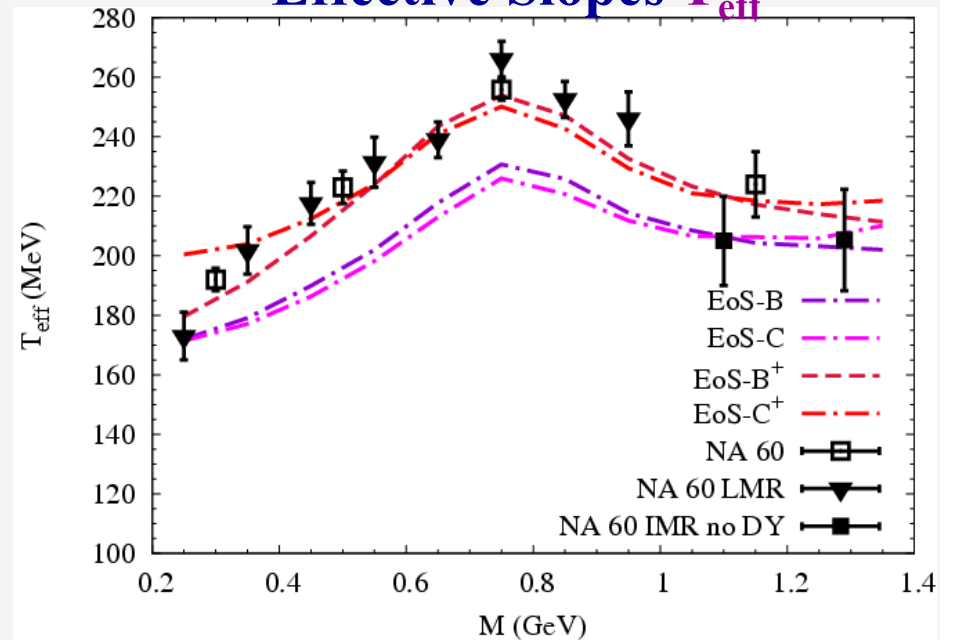
- low-mass spectral shape in chiral restoration window:
 $\sim 60\%$ of thermal low-mass yield in “chiral transition region”
($T=125-180$ MeV)
- enrich with (low-) p_t cuts

4.3 Dimuon p_t -Spectra and Slopes: **Barometer**



- theo. slopes originally too soft
- increase fireball acceleration,
e.g. $a_{\perp} = 0.085/\text{fm} \rightarrow 0.1/\text{fm}$
- insensitive to $T_c = 160\text{-}190\text{ MeV}$

Effective Slopes T_{eff}



Outline

2.) Chiral Symmetry Breaking in Vacuum

- “Higgs Mechanism”, Condensates + Mass Gap in QCD
- Hadron Spectrum, Chiral Partners + Sum Rules

3.) EM Spectral Function in Medium

- Hadronic Theory
- QGP + Lattice QCD

4.) Highlights of EM Probes in Heavy-Ion Collisions

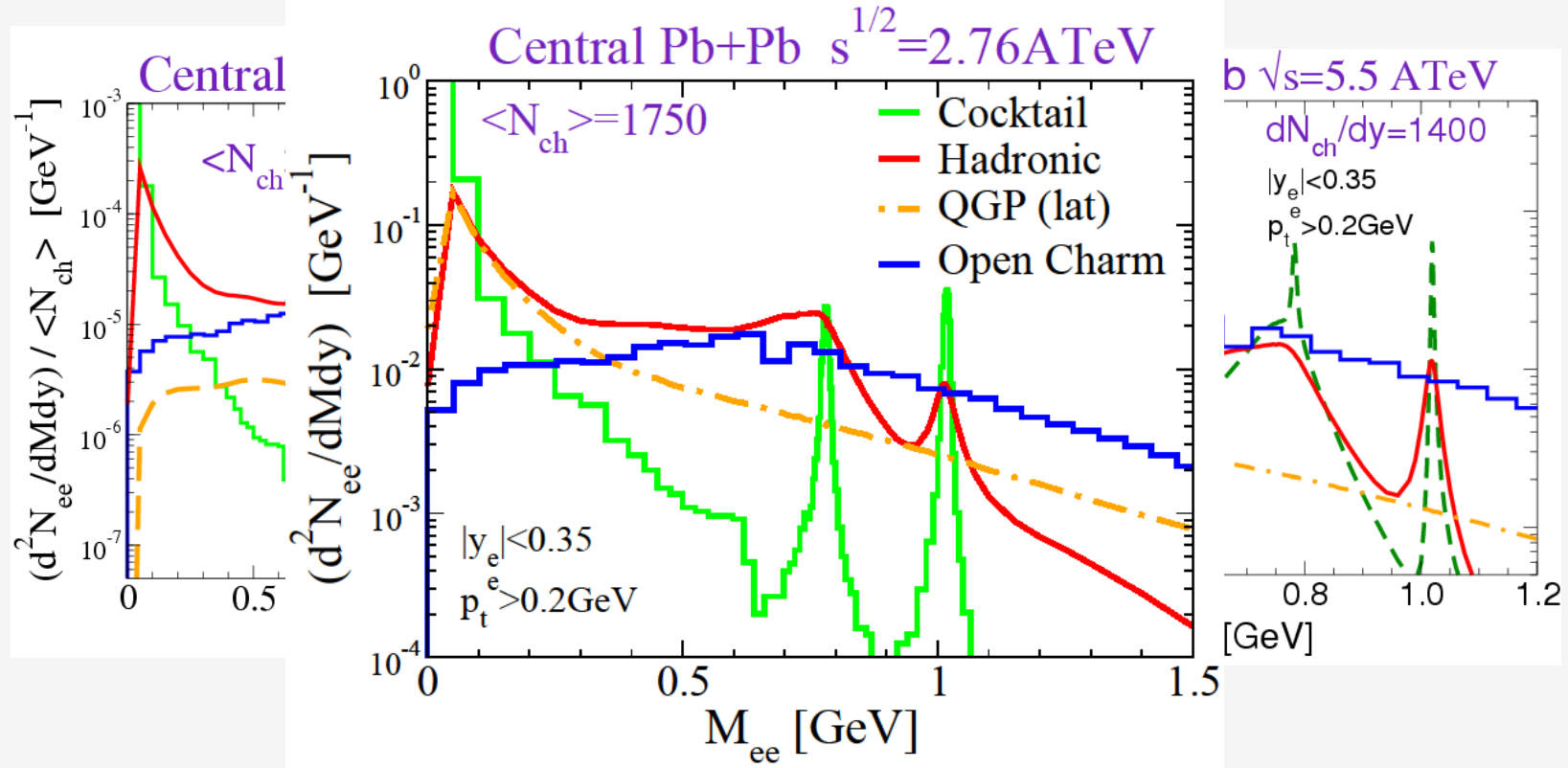
- Spectro-, Thermo-, Chrono- + Baro-meter
- Thermal Photons

5.) Low-Mass Dileptons at LHC

- Mass Spectra + Collectivity

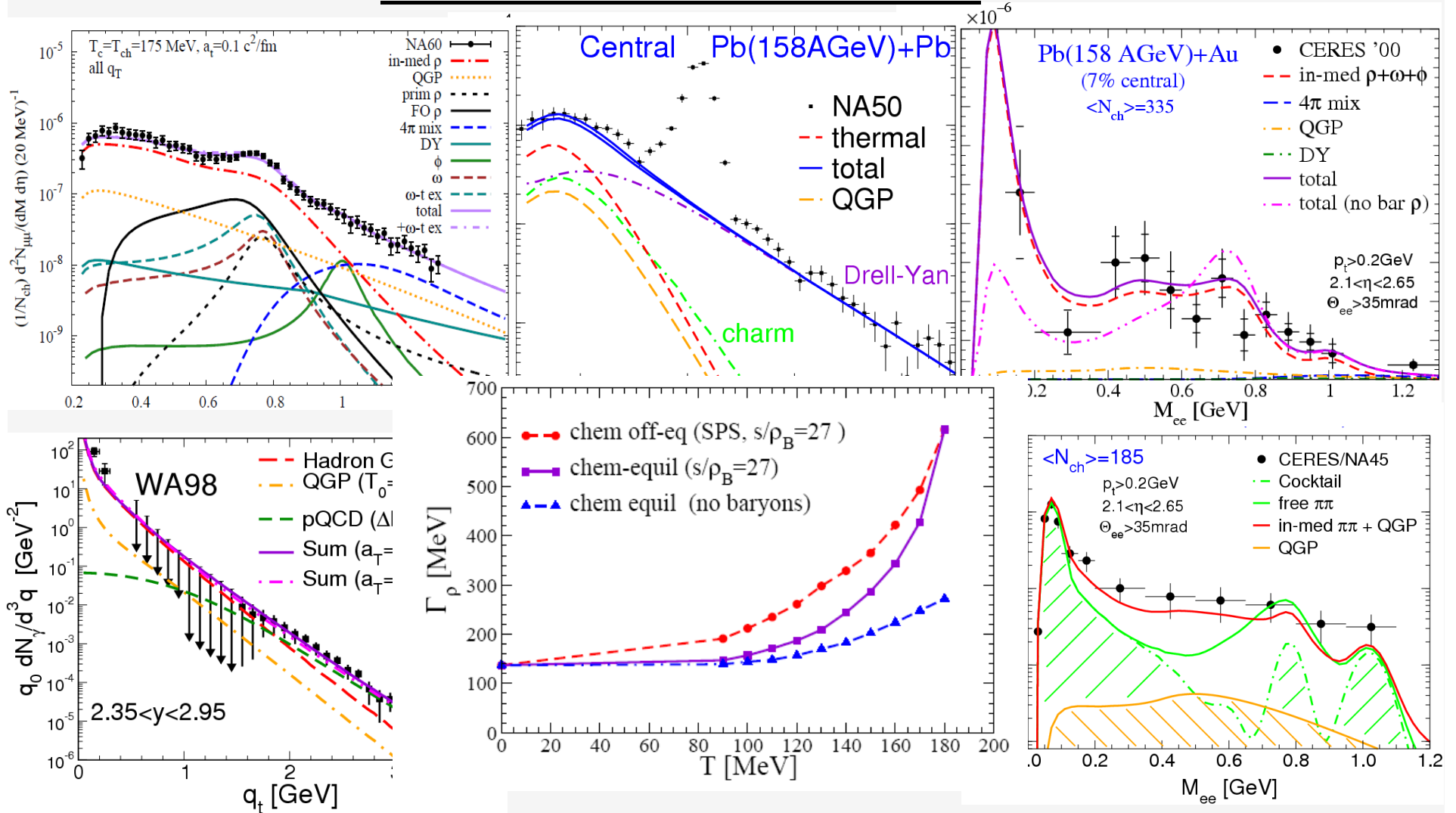
6.) Conclusions

5.1 Thermal Dileptons at LHC



- charm comparable, accurate (in-medium) measurement critical
- low-mass spectral shape in chiral restoration window

2.2 EM Probes at SPS



- all calculated with the same e.m. spectral function!
- thermal source: $T_i \approx 210 \text{ MeV}$, HG-dominated, **ρ -meson melting!**

2.) Transport: Electric Conductivity

$$\sigma_{\text{em}} = -e^2 \lim_{q_0 \rightarrow 0} \frac{\partial}{\partial q_0} \text{Im} \Pi_{\text{em}}(q_0, q=0) = -e^2 \lim_{q_0 \rightarrow 0} \frac{1}{q_0} \text{Im} \Pi_{\text{em}}(q_0, q=0)$$

- hadronic theories ($T \sim 150 \text{ MeV}$):

- chiral pert. theory (pion gas): $\sigma_{\text{em}} / T \sim 0.11 e^2$

[Fernandez-Fraile+
Gomez-Nicola '07]

- hadronic many-body theory: $\sigma_{\text{em}} / T \sim 0.09 e^2$

- lattice QCD ($T \sim (1.5-3) T_c$):

[Gupta '04, Aarts et al '07,
Ding et al. '11]

$$\sigma_{\text{em}} / T \sim (0.26 \pm 0.02) e^2$$

- soft-photon limit of
thermal emission rate

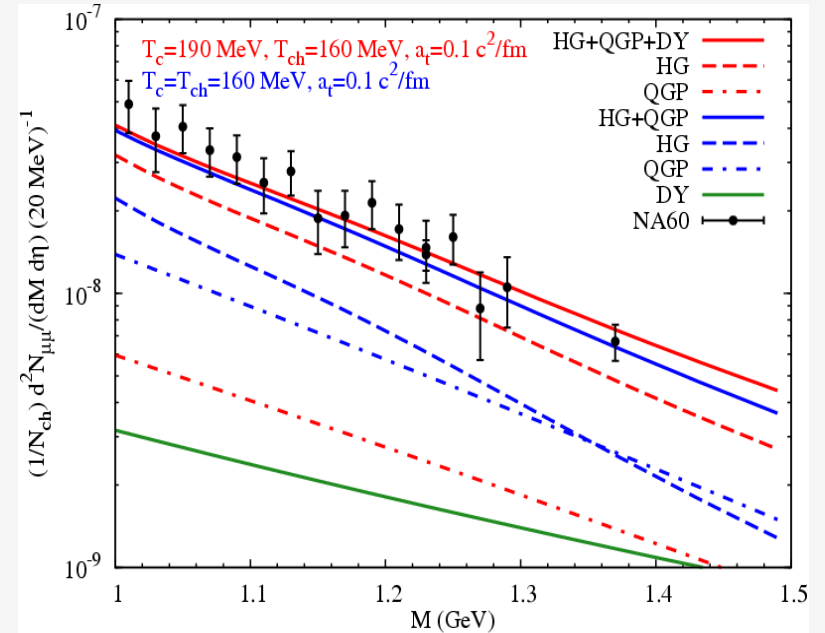
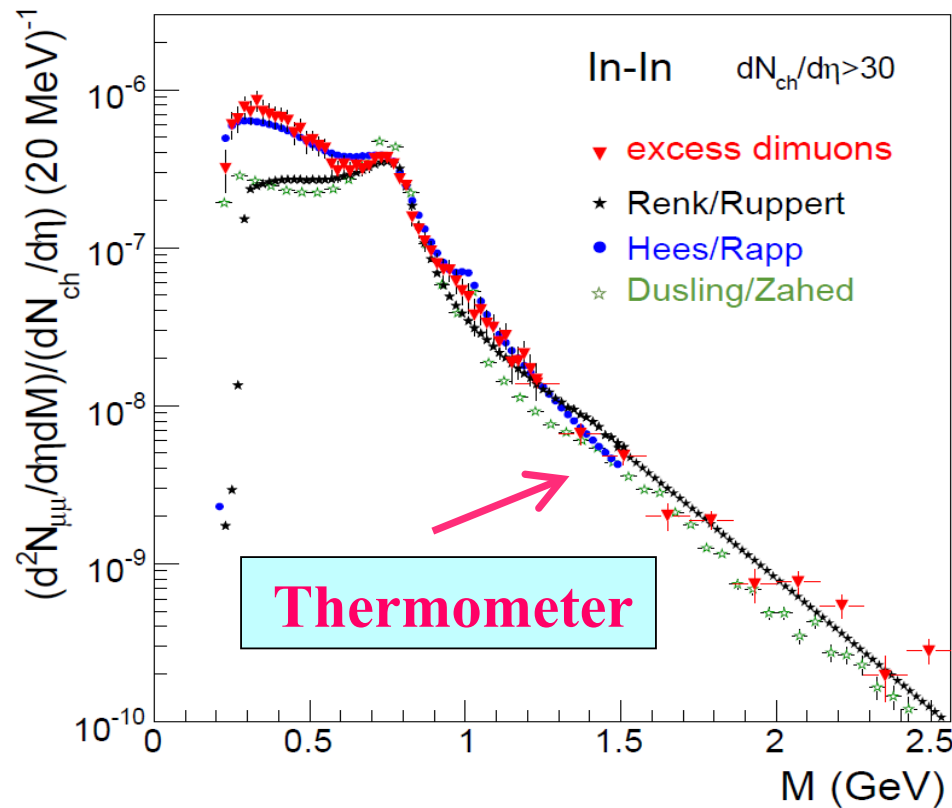
$$q_0 \frac{dN_\gamma}{d^4x d^3q}(q_0 \rightarrow 0) = \frac{T}{4\pi^3} \sigma_{\text{em}}$$

- EM Susceptibility (\rightarrow charge fluctuations):

$$\langle Q^2 \rangle - \langle Q \rangle^2 = \chi_{\text{em}} = \Pi_{\text{em}}(q_0=0, q \rightarrow 0)$$

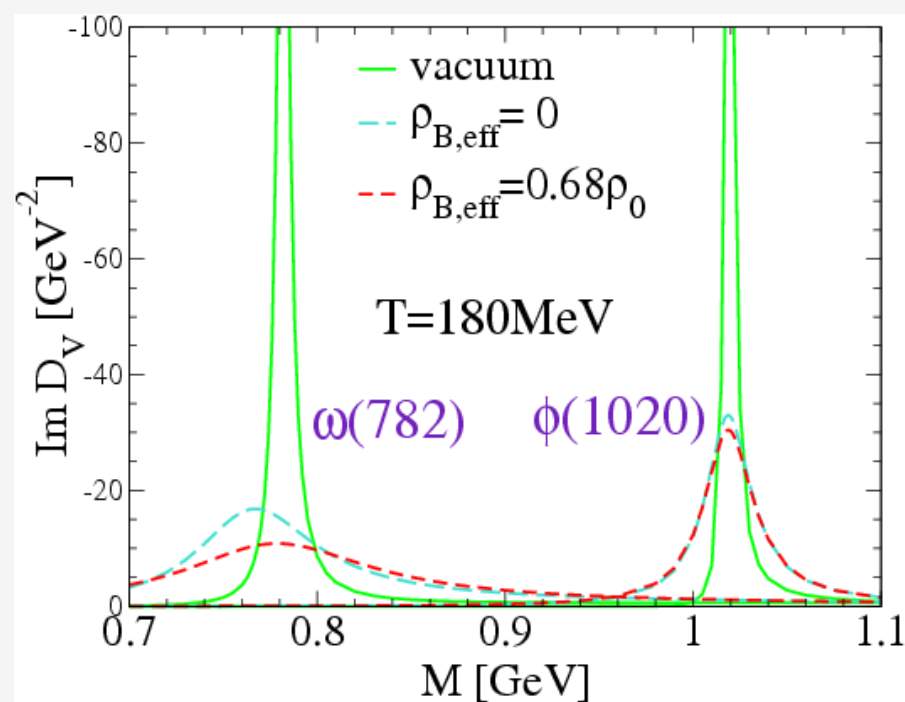
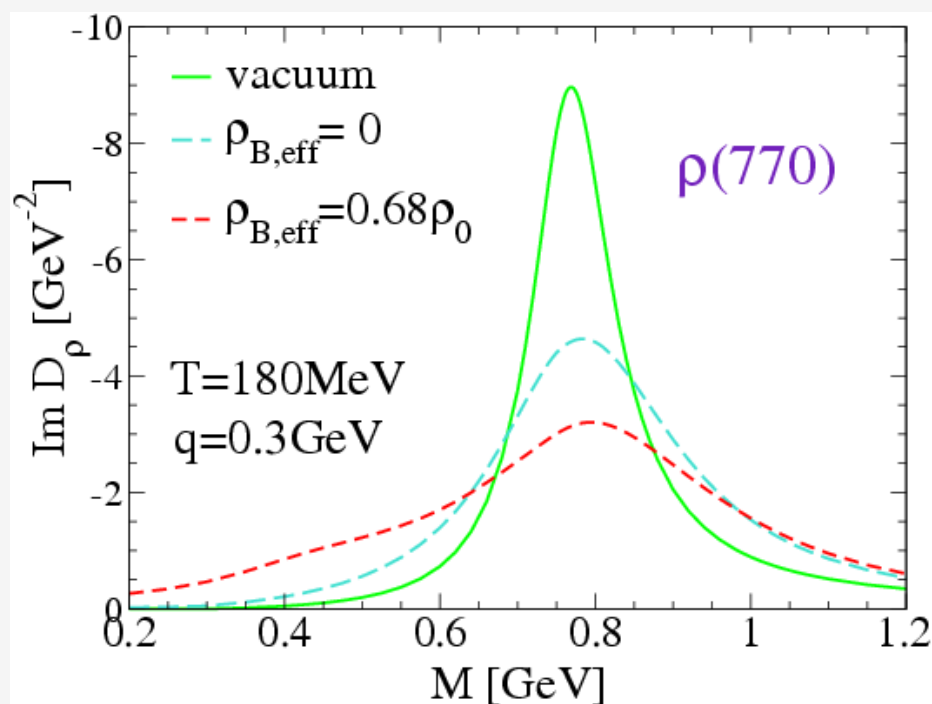
5.2 Intermediate-Mass Dileptons: **Thermometer**

- use **invariant** continuum radiation ($M > 1 \text{ GeV}$): no blue shift, $T_{\text{slope}} =$



- independent of partition HG vs QGP (dilepton rate continuous/dual)
- initial temperature $T_i \sim 190\text{-}220 \text{ MeV}$ at CERN-SPS

4.7.2 Light Vector Mesons at RHIC + LHC

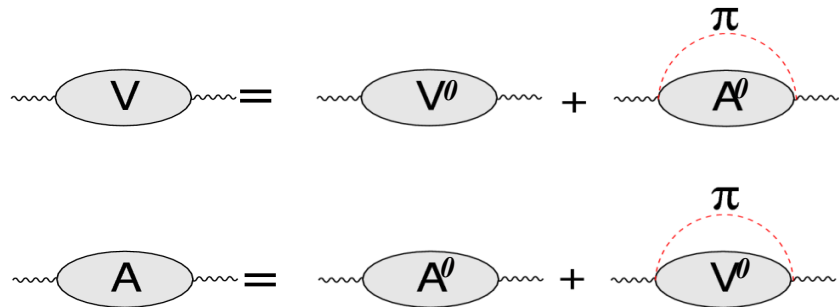


- baryon effects important even at $\rho_{B,\text{tot}} = 0$:
sensitive to $\rho_{B,\text{tot}} = \rho_B + \rho_{\bar{B}}$ (ρ -N and ρ - \bar{N} interactions identical)
- ω also melts, ϕ more robust \leftrightarrow OZI

5.3 Intermediate Mass Emission: “Chiral Mixing”

[Dey, Eletsky +Ioffe '90]

- low-energy pion interactions fixed by chiral symmetry



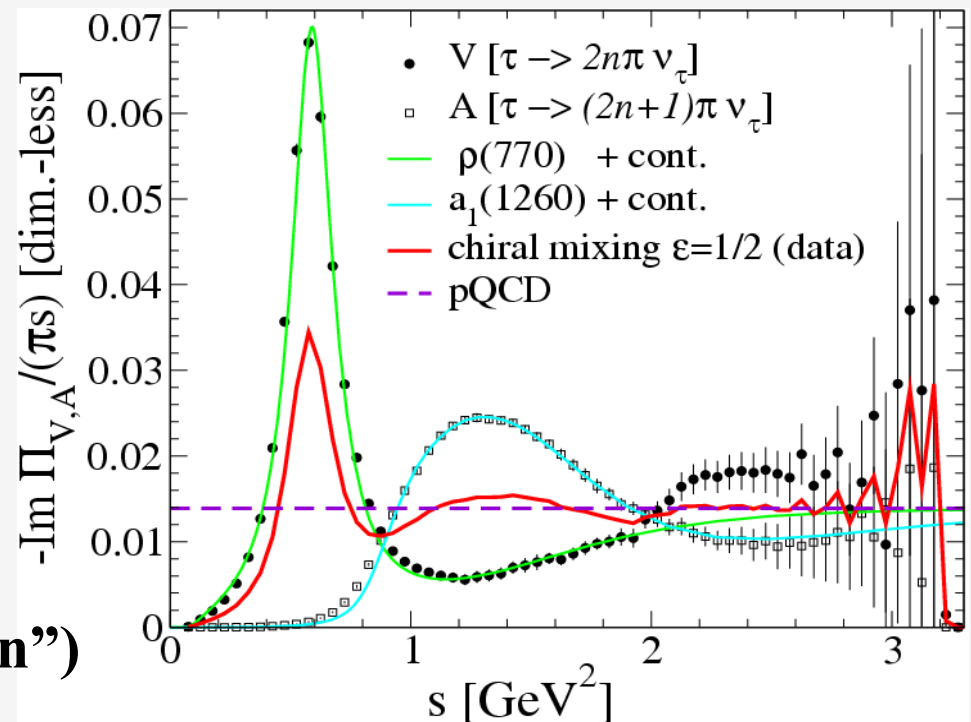
$$\Pi_V^{\mu\nu}(q) = (1 - \varepsilon) \Pi_V^{0,\mu\nu}(q) + \varepsilon \Pi_A^{0,\mu\nu}(q)$$

$$\Pi_A^{\mu\nu}(q) = (1 - \varepsilon) \Pi_A^{0,\mu\nu}(q) + \varepsilon \Pi_V^{0,\mu\nu}(q)$$

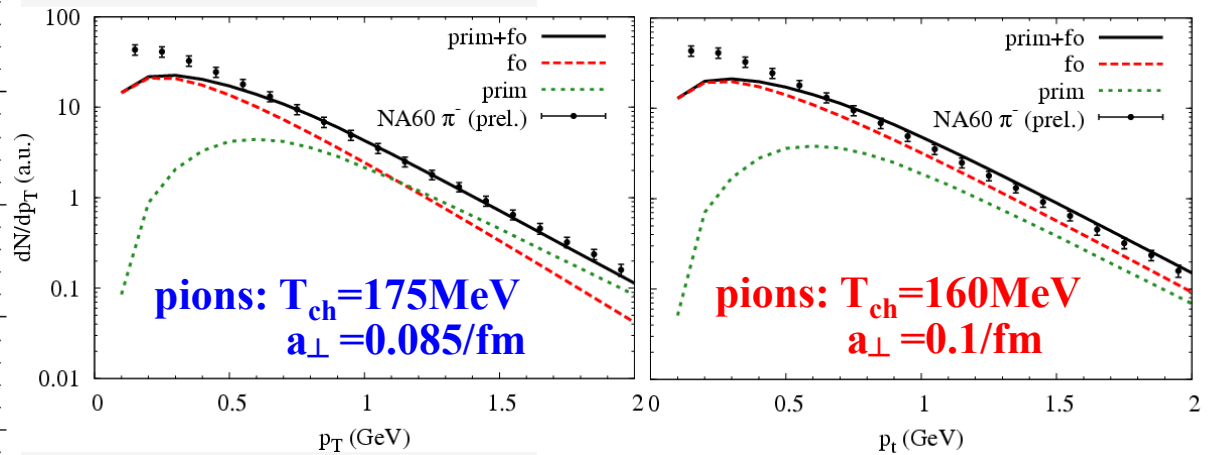
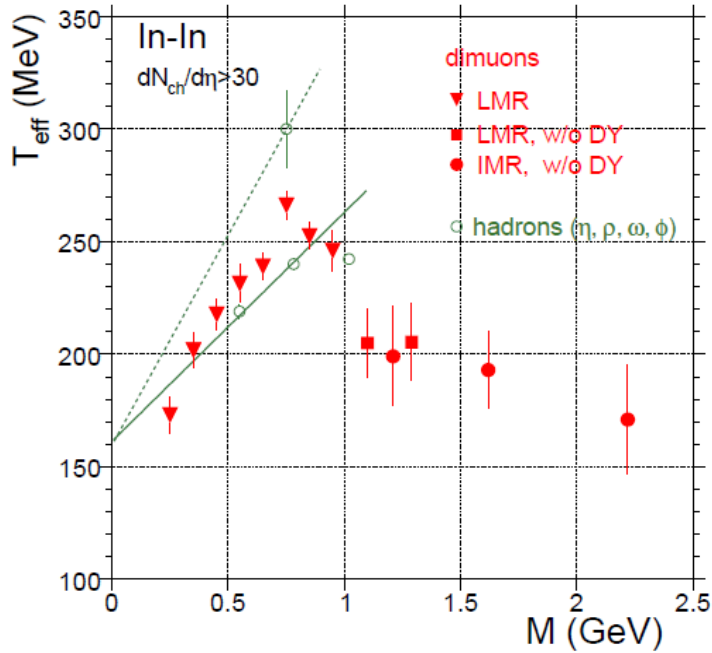
- mixing parameter

$$\varepsilon = \frac{4}{f_\pi^2} \int \frac{d^3 k}{(2\pi)^3 2\omega_k} f^\pi(\omega_k) \approx \frac{T^2}{6f_\pi^2}$$

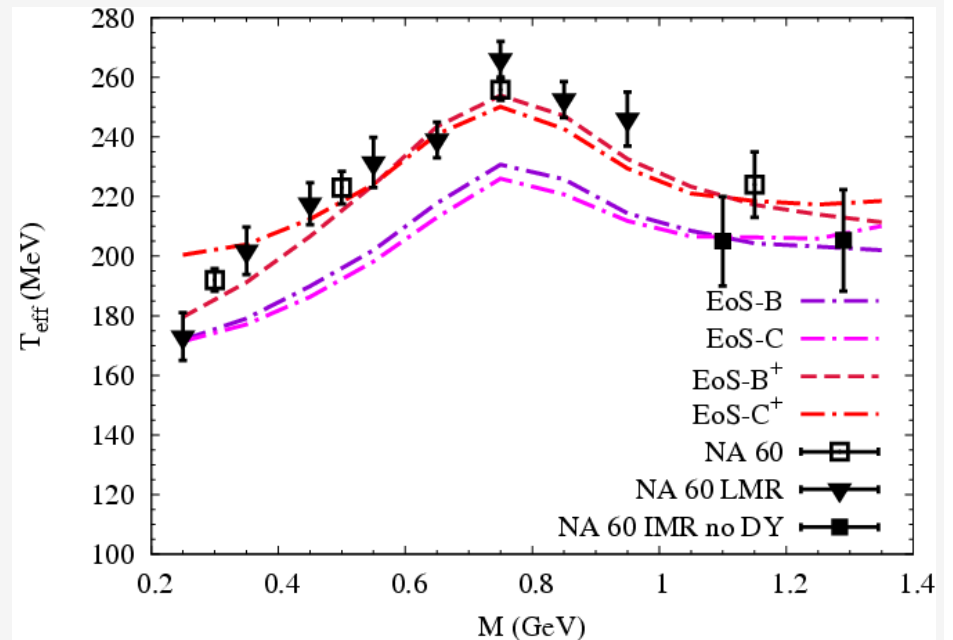
- degeneracy with perturbative spectral fct. down to $M \sim 1 \text{ GeV}$
- physical processes at $M \geq 1 \text{ GeV}$: $\pi a_1 \rightarrow e^+ e^-$ etc. (“ 4π annihilation”)



3.2 Dimuon p_t -Spectra and Slopes: Barometer



- modify fireball evolution:
e.g. $a_{\perp} = 0.085/\text{fm} \rightarrow 0.1/\text{fm}$
- both large and small T_c compatible with excess dilepton slopes



4.4.3 Origin of the Low-Mass Excess in **PHENIX**?

- QGP radiation **insufficient**:

space-time , lattice QGP rate +
resum. pert. rates **too small**

- must be of long-lived hadronic origin

- Disoriented Chiral Condensate (DCC)?

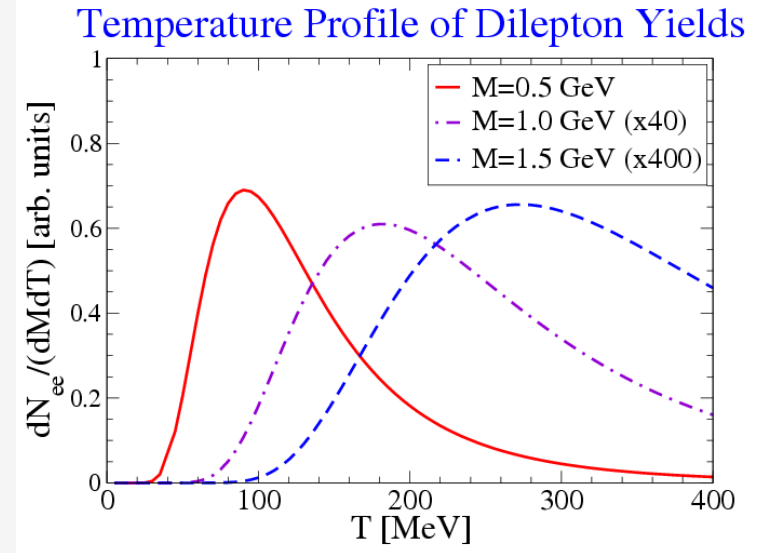
[Bjorken et al '93, Rajagopal+Wilczek '93]

- “baked Alaska” \leftrightarrow small T
- rapid quench+large domains \leftrightarrow central $A-A$
- $\pi_{\text{therm}} + \pi_{\text{DCC}} \rightarrow e^+ e^- \leftrightarrow M \sim 0.3 \text{ GeV}$, small p_t

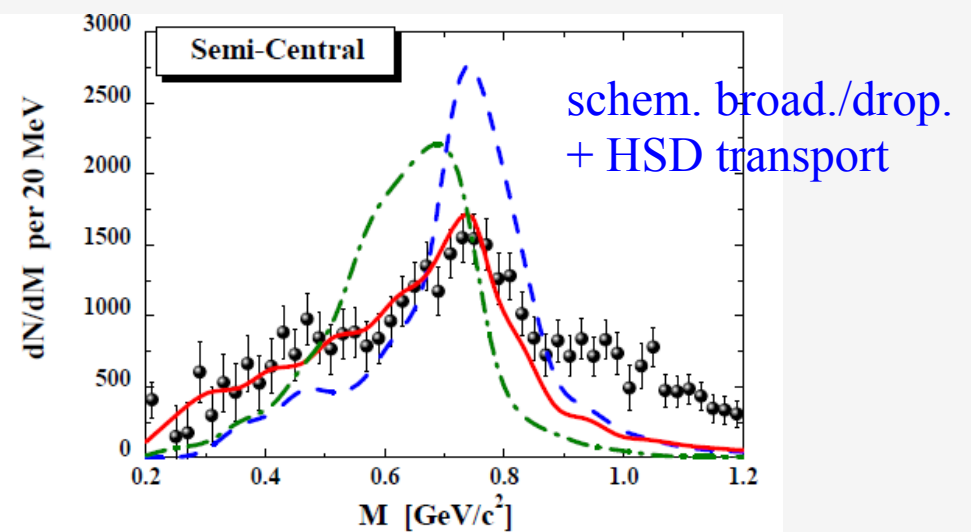
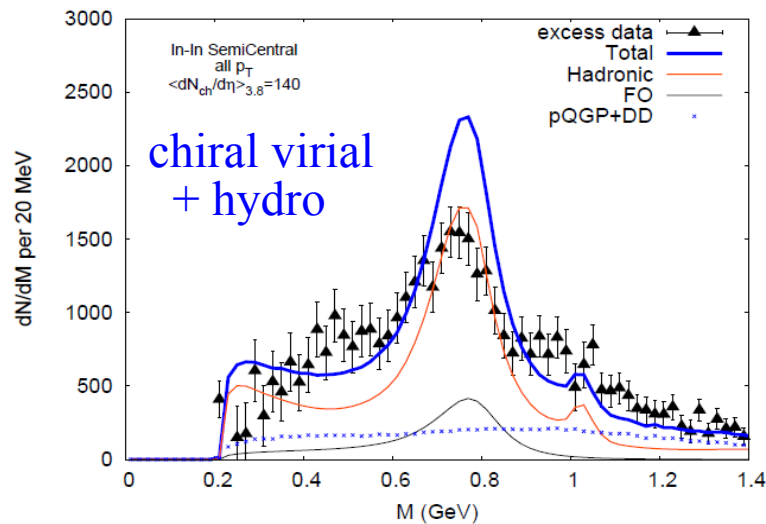
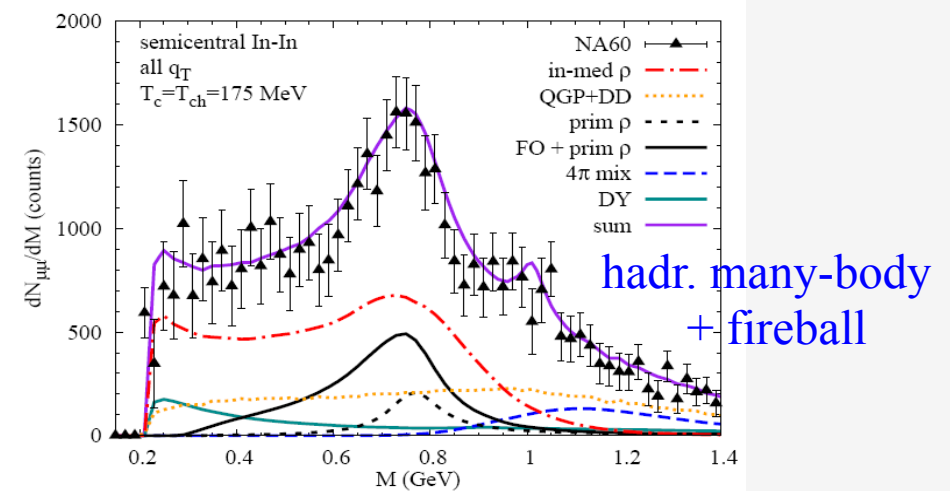
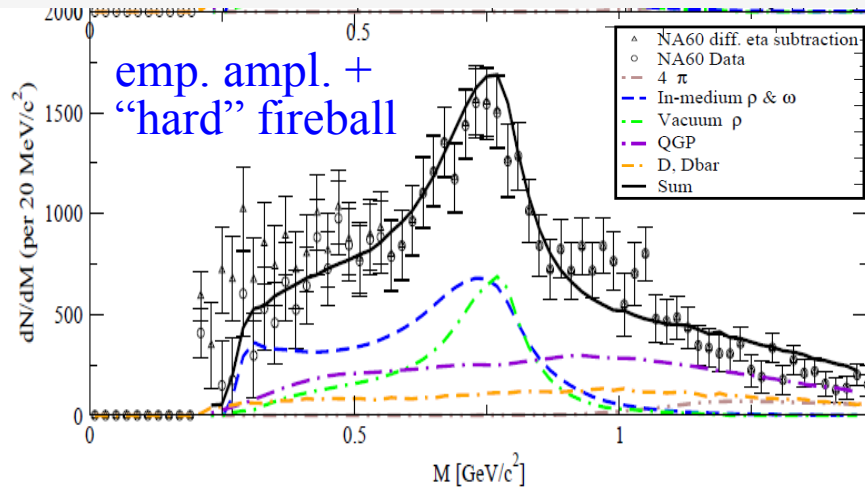
[Z.Huang+X.N.Wang '96
Kluger,Koch,Randrup '98]

- Lumps of self-bound pion liquid?

- Challenge: consistency with hadronic data, NA60 spectra!



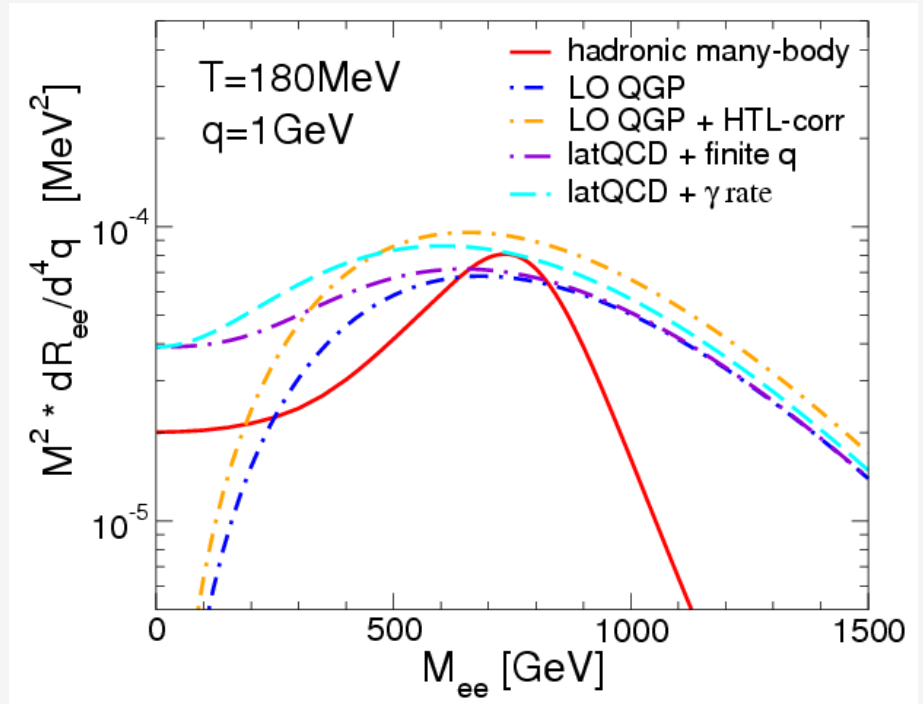
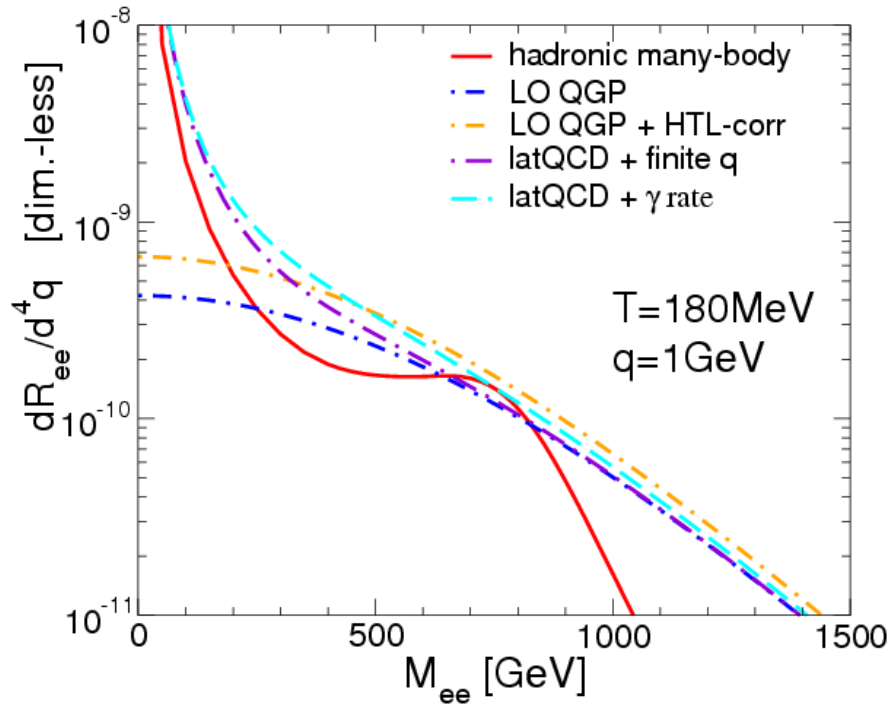
2.3.3 Spectrometer III: Before Acceptance Correction



- Discrimination power much reduced
- can compensate spectral “deficit” by larger flow: lift pairs into acceptance

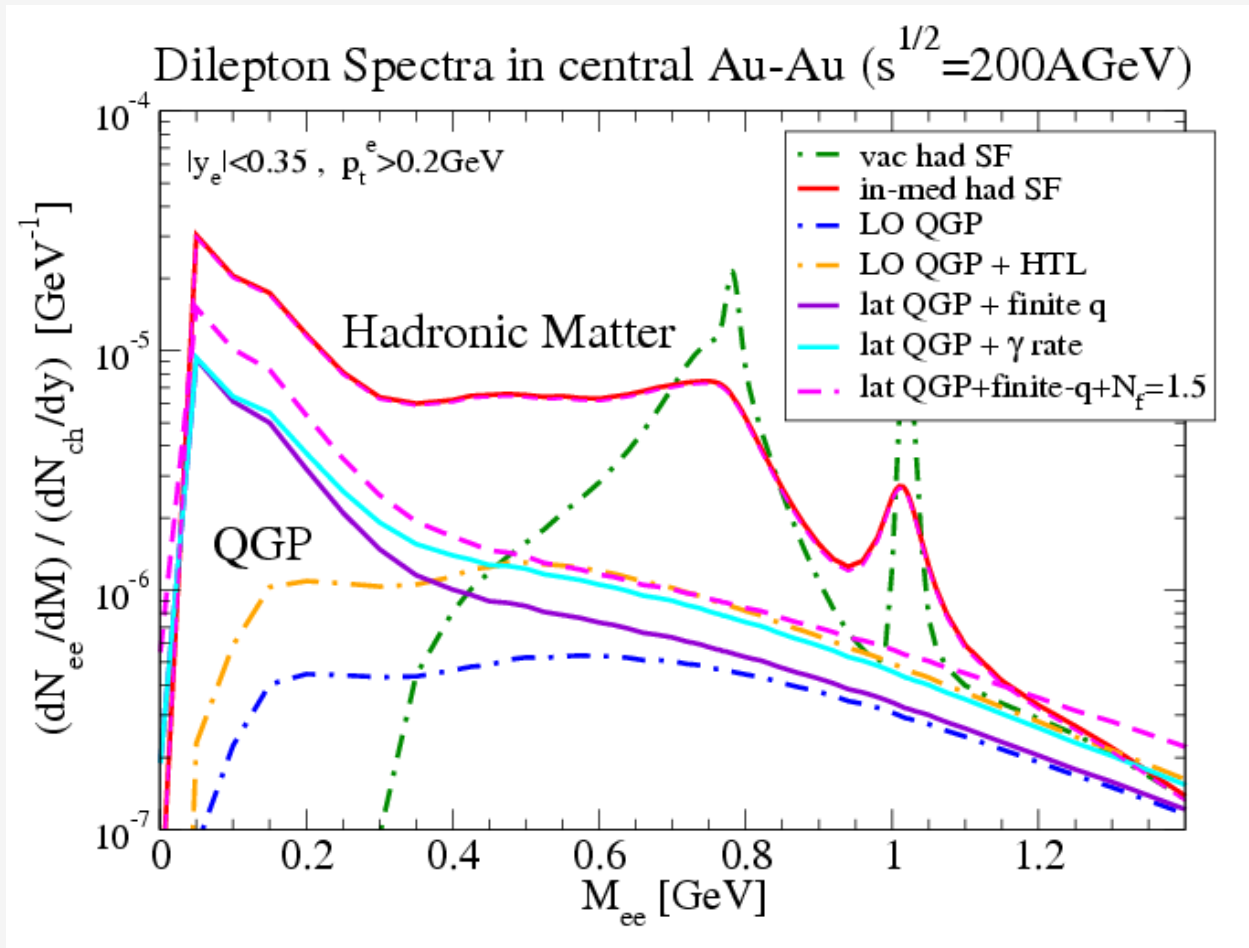
4.2 Improved Low-Mass QGP Emission

$$\frac{dR_{ee}}{d^4q} = \frac{\alpha_{em}^2}{6\pi^3 M^2} f^B(q_0; T) \rho_V(q_0, q)$$



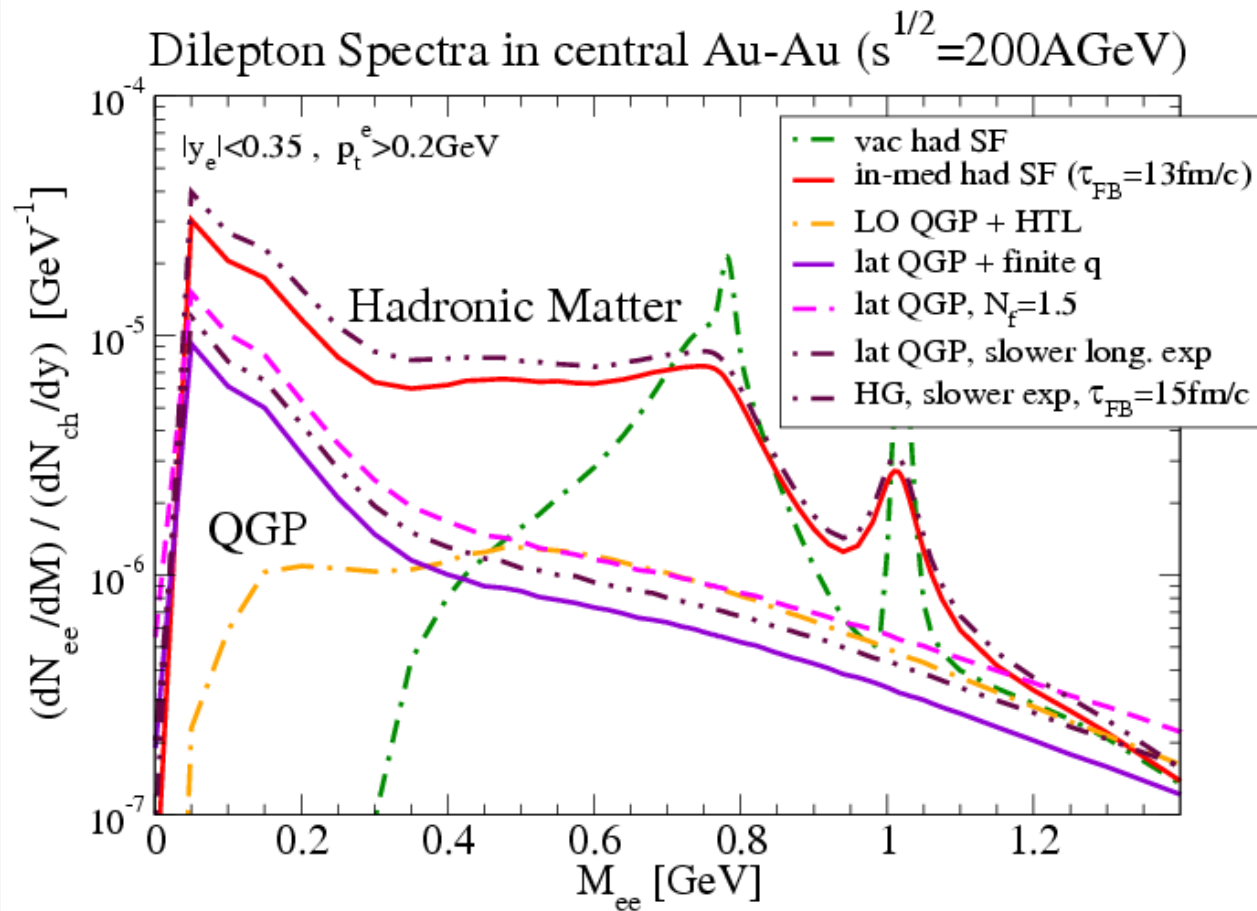
- LO pQCD spectral function: $\rho_V(q_0, q) = \frac{1}{3} \frac{3M^2}{2\pi} [1 + Q_{HTL}(q_0)]$
- 3-momentum augmented lattice-QCD rate (finite γ rate)

4.4.1 Variations in QGP Radiation



- improvements in QGP rate insufficient

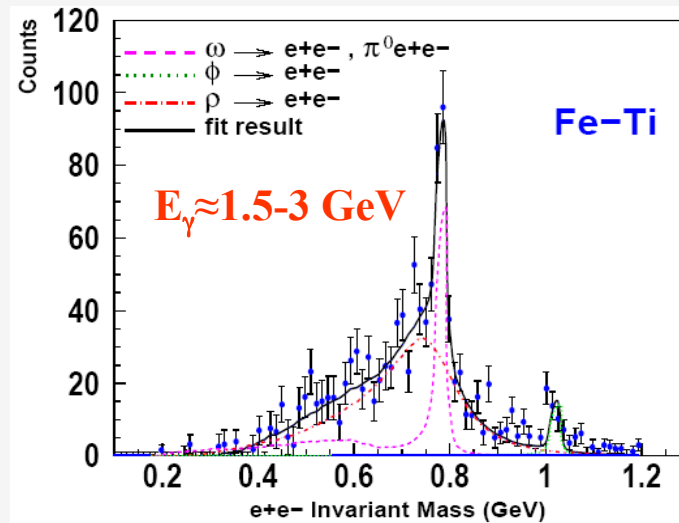
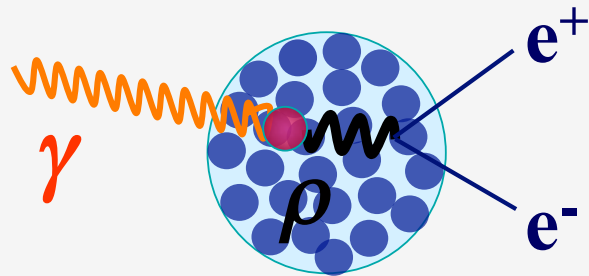
4.4.2 Variations in Fireball Properties



- variations in space-time evolution only significant in (late) hadronic phase

4.1 Nuclear Photoproduction: ρ Meson in Cold Matter

$$\gamma + A \rightarrow e^+e^- X$$

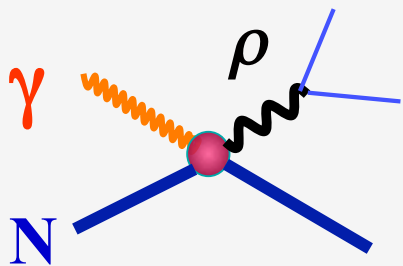


- extracted “in-med” ρ -width $\Gamma_\rho \approx 220$ MeV

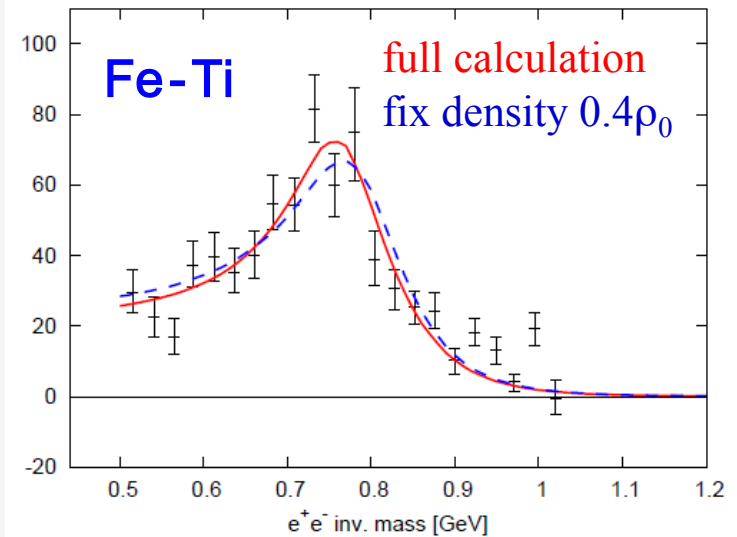
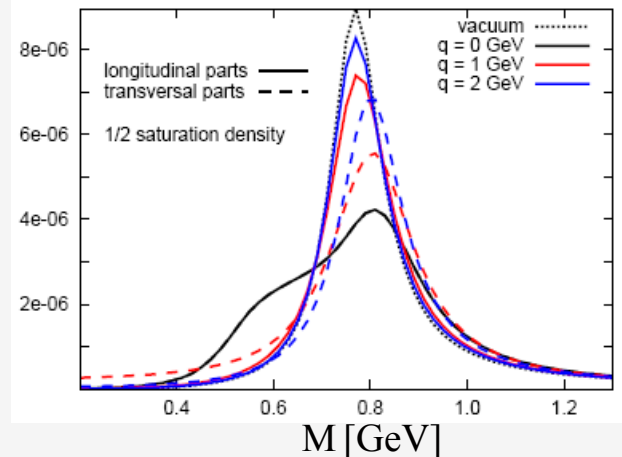
[CLAS+GiBUU '08]

• Microscopic Approach:

product. amplitude + in-med. ρ spectral fct.



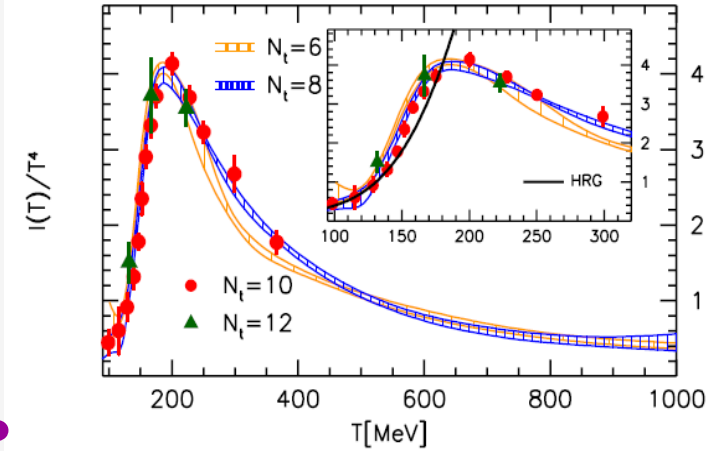
[Riek et al '08, '10]



- ρ -broadening reduced at high 3-momentum; **need low momentum cut!**

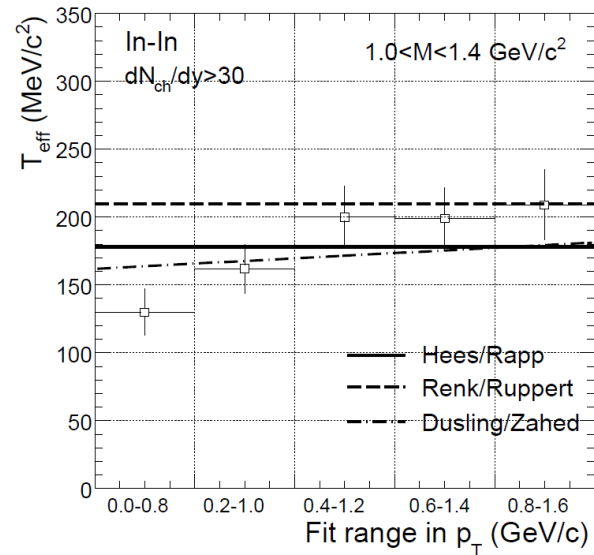
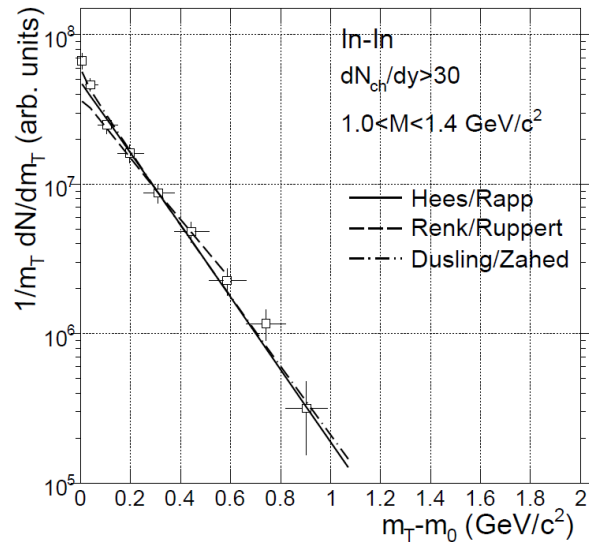
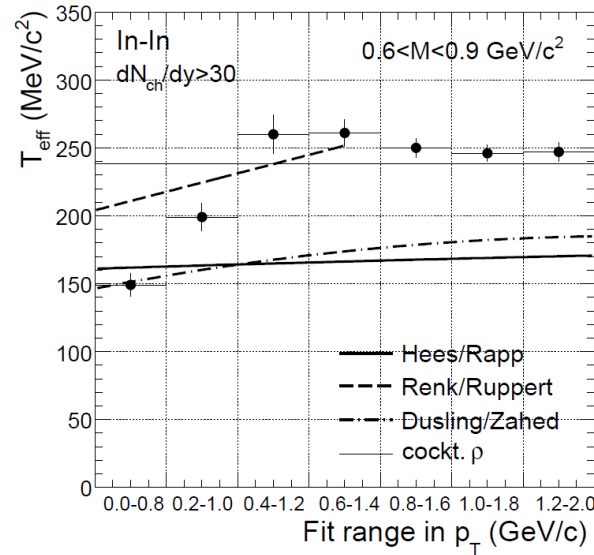
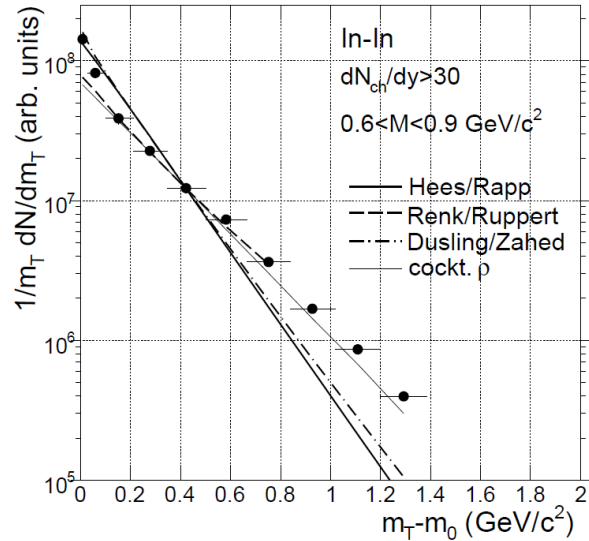
1.2 Intro-II: EoS and Particle Content

- **Hadron Resonance Gas** until close to T_c
 - but far from non-interacting:
short-lived resonances **R**:
 $a + b \rightarrow R \rightarrow a + b$, $\tau_R \leq 1 \text{ fm}/c$
- **Parton Quasi-Particles** shortly above T_c
 - but large interaction measure $I(T) = \epsilon - 3P$



- ⇒ **both “phases” strongly coupled (hydro!):**
- large interaction rates → large collisional widths
 - resonance broadening → melting → quarks
 - broad parton quasi-particles
 - “Feshbach” resonances around T_c (**coalescence!**)

2.3.6 Hydrodynamics vs. Fireball Expansion



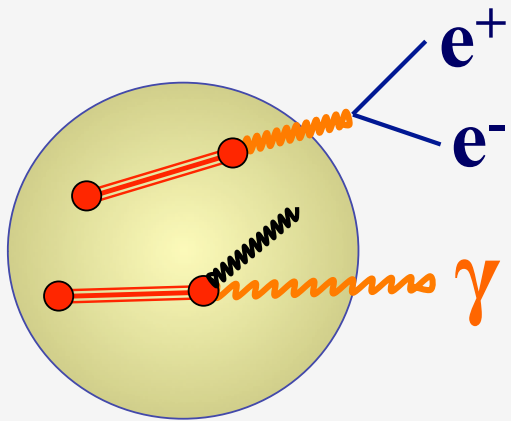
- very good agreement between original hydro [Dusling/Zahed] and fireball [Hees/Rapp]

2.1 Thermal Electromagnetic Emission

EM Current-Current Correlation Function:

$$\Pi_{\text{em}}^{\mu\nu}(q) = -i \int d^4x e^{iqx} \Theta(x_0) \langle [j_{\text{em}}^\mu(x), j_{\text{em}}^\nu(0)] \rangle_T$$

Thermal Dilepton and Photon Production Rates:



$$\frac{dR_{ee}}{d^4q} = \frac{-\alpha_{\text{em}}^2}{\pi^3 M^2} f^B(T) \text{Im} \Pi_{\text{em}}(M, q)$$

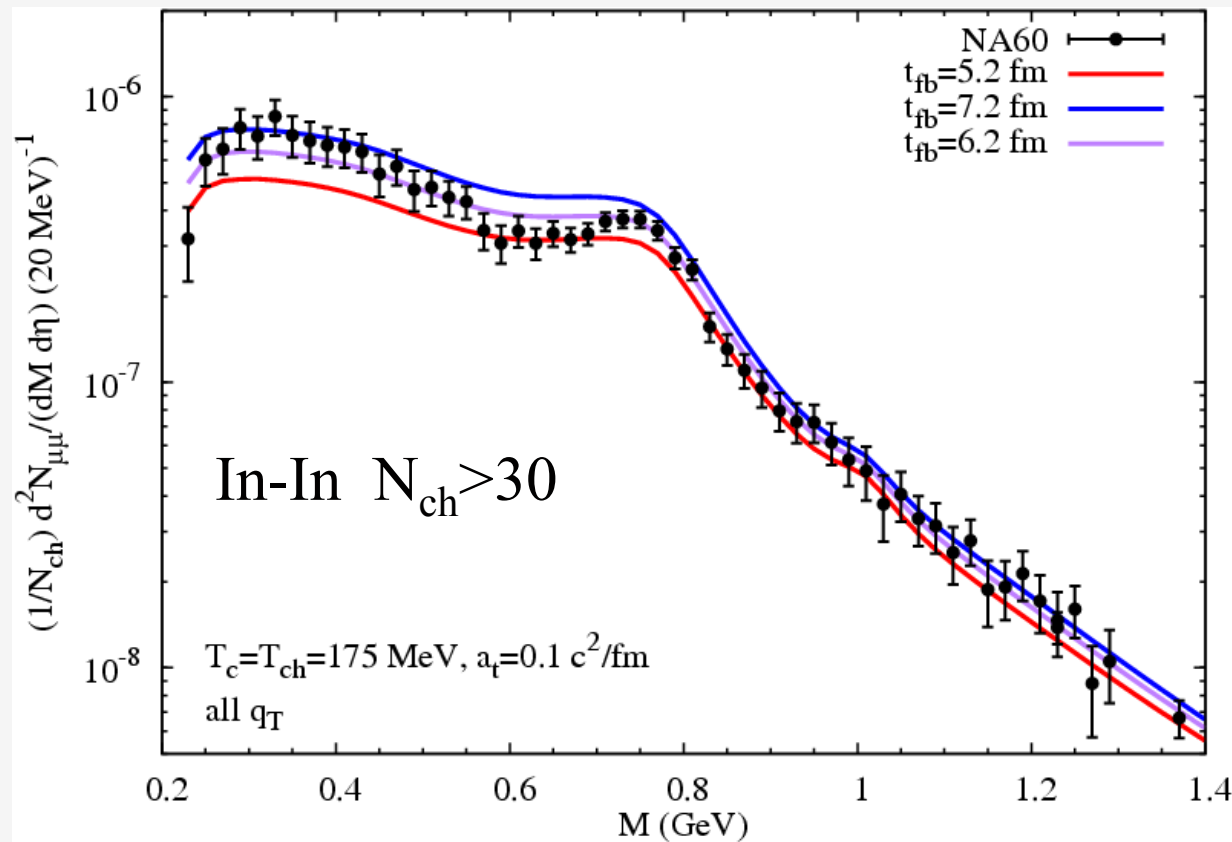
$$q_0 \frac{dR_\gamma}{d^3q} = \frac{-\alpha_{\text{em}}}{\pi^2} f^B(T) \text{Im} \Pi_{\text{em}}(q_0=q)$$

Low Mass:

$$\text{Im} \Pi_{\text{em}} \sim [\text{Im} D_\rho + \text{Im} D_\omega / 10 + \text{Im} D_\phi / 5]$$

ρ -meson
dominated

4.2 Low-Mass Dileptons: Chronometer



- first “explicit” measurement of interacting-fireball **lifetime**:
 $\tau_{FB} \approx (7 \pm 1) \text{ fm/c}$